

Tracing high energy radiation with molecular lines by the deeply embedded protostar L1634

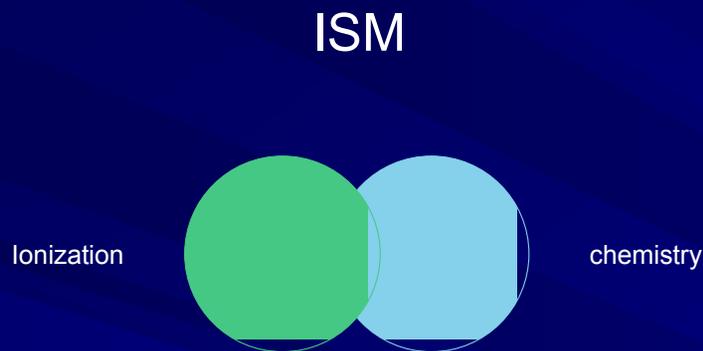
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Germany



Introduction

Ionization fraction: a key parameter



	Agents of ionization	Ionization regulates
Difuse clouds	UV radiation field	Rich chemistry
Dense cores	<ul style="list-style-type: none">▪ Through low energy cosmic rays▪ X-rays	<ul style="list-style-type: none">▪ Ion-neutral reactions▪ Time scale for SF

Probing the cosmic-ray ionization rate

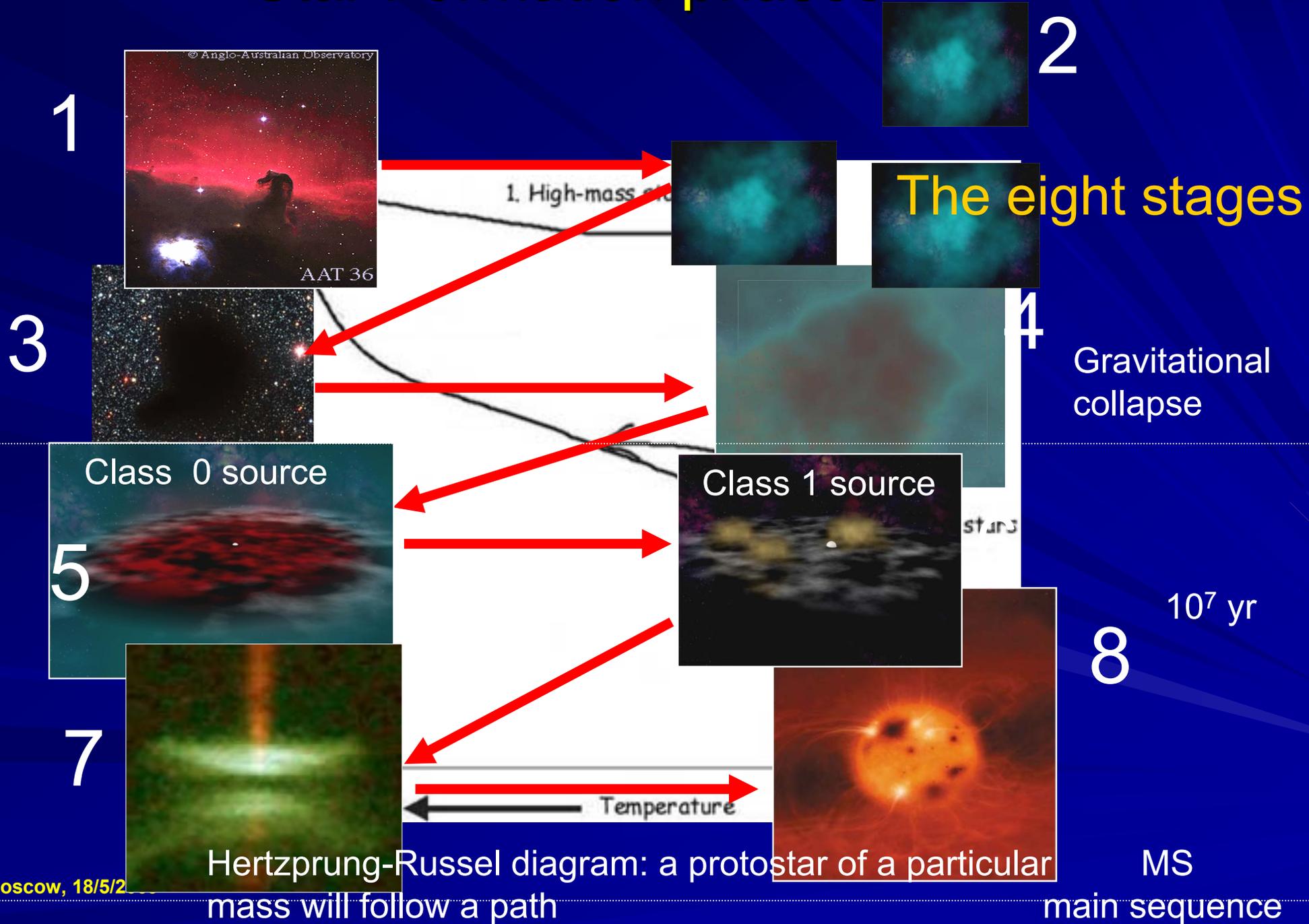
By observations of abundance ratios
By modeling

$$\zeta_{\text{CR}} = [10^{-16} \text{ -- } 10^{-17}] \text{ s}^{-1} \text{ per H atom}$$

ζ_{CR} varies with location in the Galaxy

Molecular studies of SF regions are useful to measure the ionization rate across the Galaxy

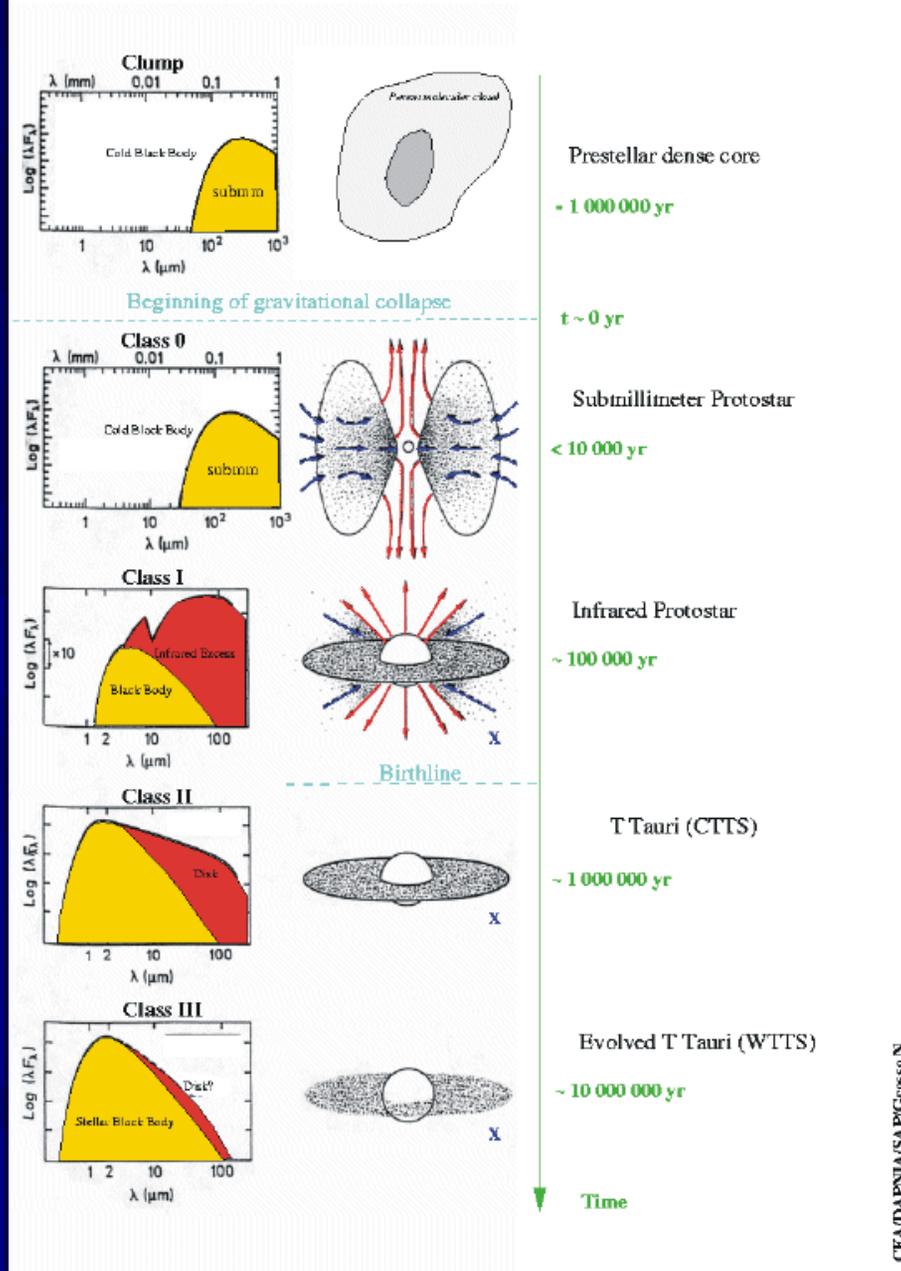
Star Formation phases



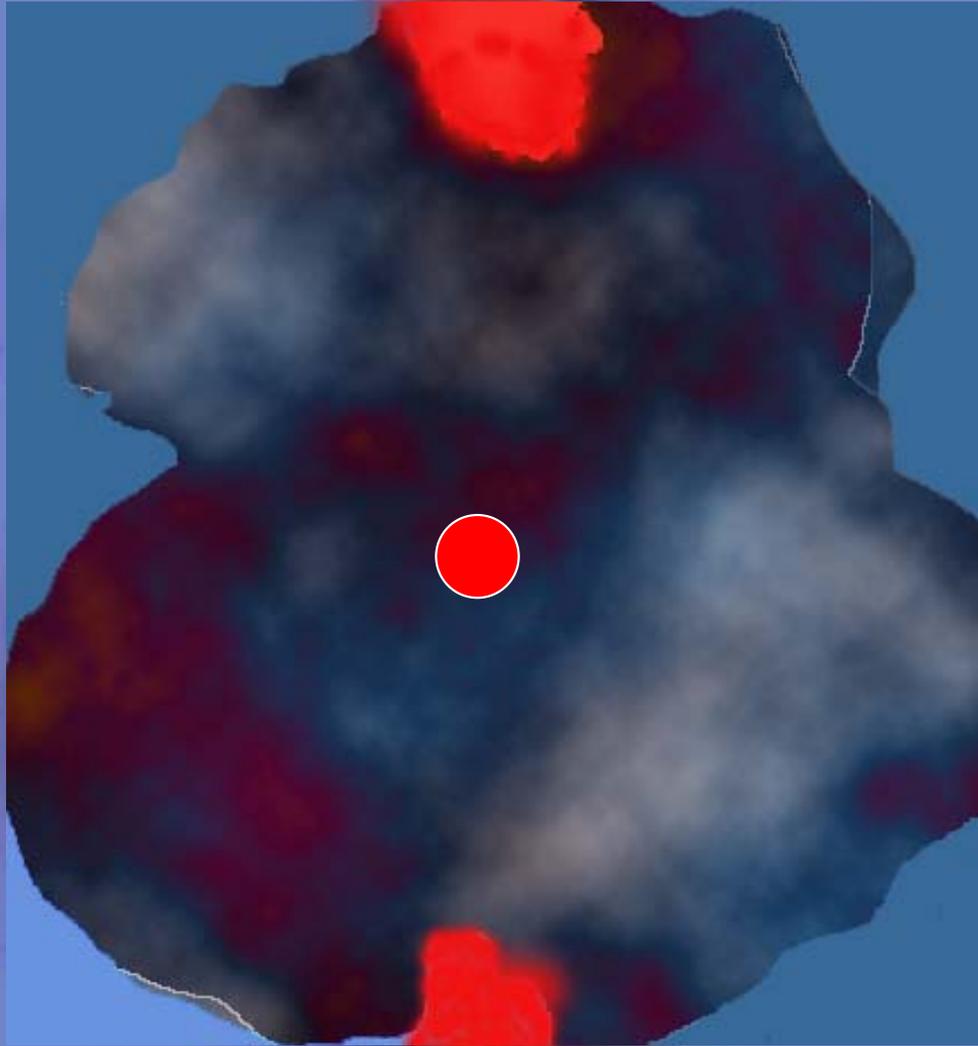
Infrared/Submillimeter Young Stellar Object Classification

(Lada 1987 + André, Ward-Thompson, Barsony 1993)

Stages of evolution of a protostar



Class 0 Sources



They are quite difficult to detect!

protostar

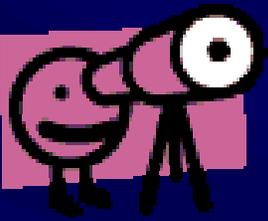
dusty
envelope

flattened
disk

bipolar
outflow

- Class 0 sources are highly obscured
- They are extremely rare (because they spend only a short time in their evolutionary phase $\sim 10^4$ yr)

The observational identification of the earliest evolutionary stage is very difficult!



Methods applied to find Class 0 sources and deeply embedded source candidates

Searching for their powerful molecular outflows (Davis & Eislöffel, 1995, A&A 300, 851)

Large-scale mapping of potentially interesting star formation regions with bolometer arrays (Stanke et al., 2000, A&A 355, 639)

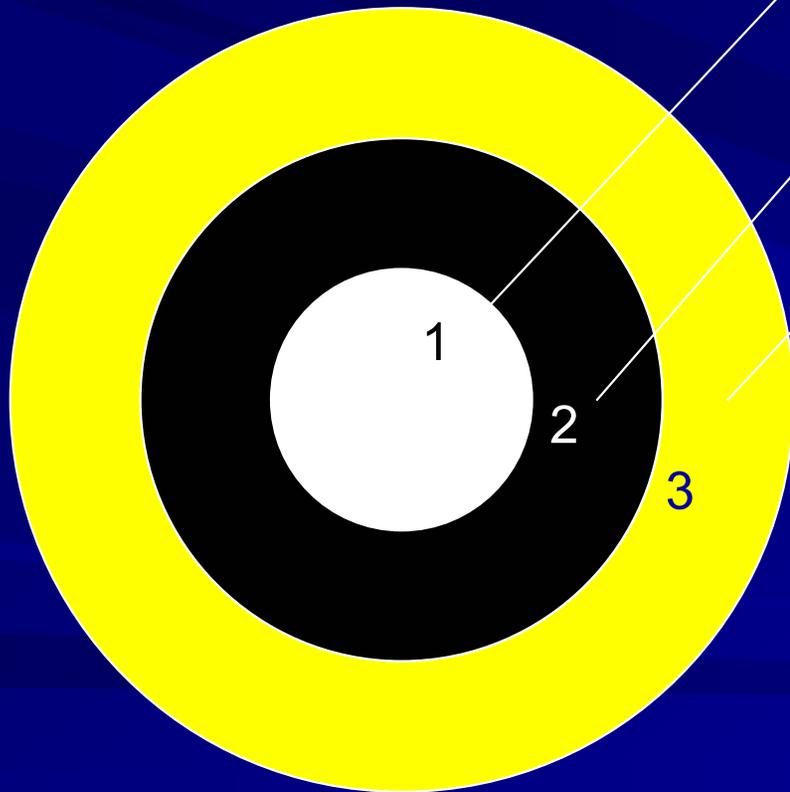
Comparing large-scale, high angular resolution sub-millimeter continuum maps of a star formation region with near-infrared surveys of the same region (Hurt et al., 2001, AAS 198)

Goal of the Project

To contribute to the understanding of the physical structure (dust density and temperature profiles) and processes in Class 0 sources

- To examine closely the structure of Class 0 sources
 - Geometry
 - density and temperature distributions as function of the radius of the envelope
- To derive physically refined properties of Class 0 sources
 - Masses
 - Sizes
 - temperatures and luminosities
 - Ages
 - Constraint ζ_{CR}

How?



Theory

By using an analytic theory of emission from protostars

Observations

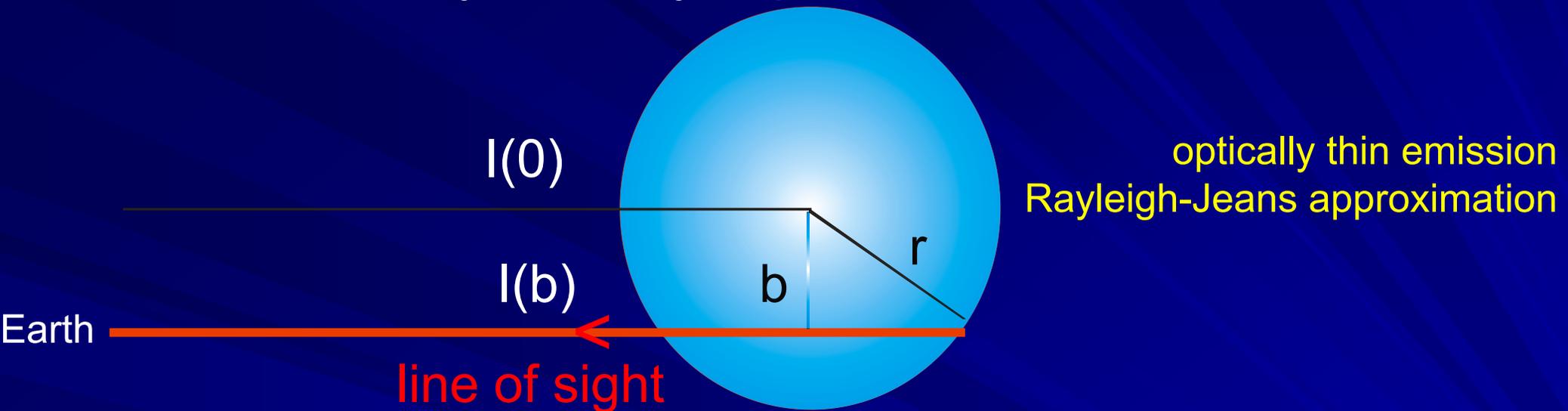
Deriving information of the thermal emission of the dust

Modeling

Applying an envelope model, techniques (Blackbody fitting and Radiative Transfer), and an evolutionary scheme for protostars

I. The Standard Envelope Model:

an analytic theory of protostellar emission



$$I_{\nu}(b) = 2\kappa_{\nu} \int_b^{r_0} B_{\nu}[T_d(r)] \rho(r) \frac{r}{\sqrt{r^2 - b^2}} dr$$

I_{ν} observed intensity at a frequency ν

b impact parameter

κ_{ν} mass opacity

B_{ν} Planck function as a function of frequency ν

$T_d(r)$ dust temperature distribution

$\rho(r)$ density distribution

r_0 outer radius

Observed intensity for a spherically symmetric envelope

Observed intensity for a spherical symmetric envelope

$$I_\nu(b) = 2\kappa_\nu \int_b^{r_0} B_\nu[T_d(r)] \rho(r) \frac{r}{\sqrt{r^2 - b^2}} dr$$

if the emission is in the Rayleigh-Jeans limit, and if $r_0 \gg b$,

$$I_\nu \propto b^{-m} \quad \kappa \propto \nu^\beta \quad T_d(r) \propto r^{-q} \quad \rho(r) \propto r^{-p}$$

observations

Radiative transfer

$$m = p + q - 1$$
$$q = 2/(4 + \beta)$$

The standard envelope model suggests single power-law indices for the density, temperature and dust opacity distributions

II. Thermal emission from the dust

A.- Imaging of Class 0 sources

Instrumentation

-SCUBA camera



-James Clerk Maxwell Telescope (Hawaii)



RESULTS:

6 regions observed
at 450 and 850 μm
in **Orion** and Perseus

HH 211	L 1448
L1455	<u>L 1634</u>
NGC 1333	<u>L 1641</u>

(>3 σ) 36 sources found

9 Class 0 sources
investigated in detail

Moscow, 18/5/2009

12 sources detected for the first time

Rengel M., Eislöffel J., Hodapp K, 2003, ANS 324, 10

360-degree Milky Way Panorama



Picture: courtesy of Axel Mellinger

300 pc
350 pc

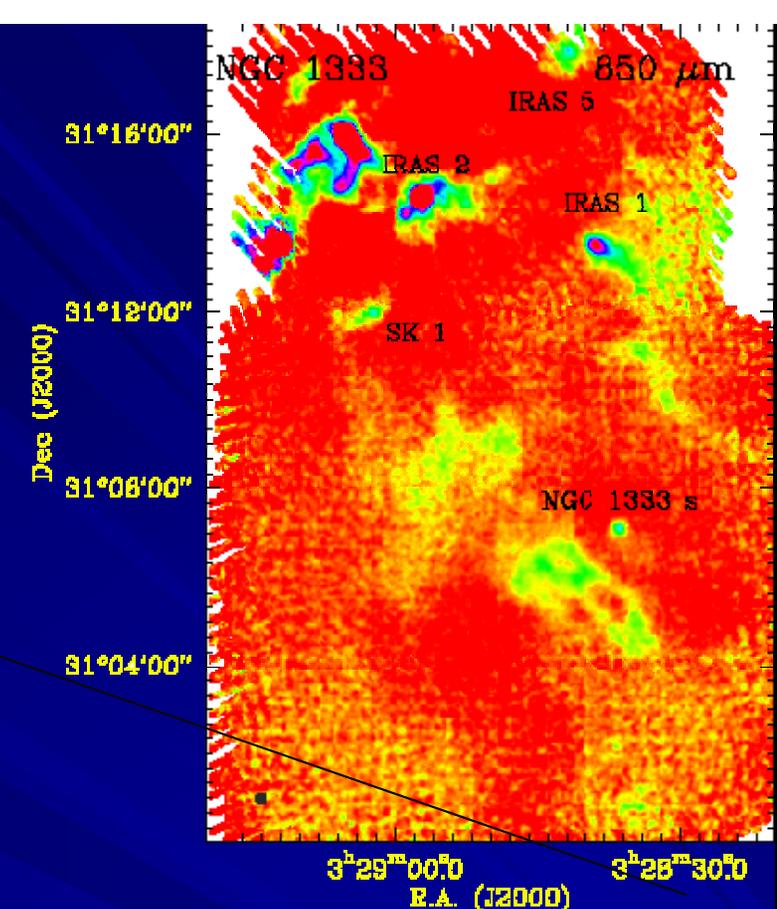
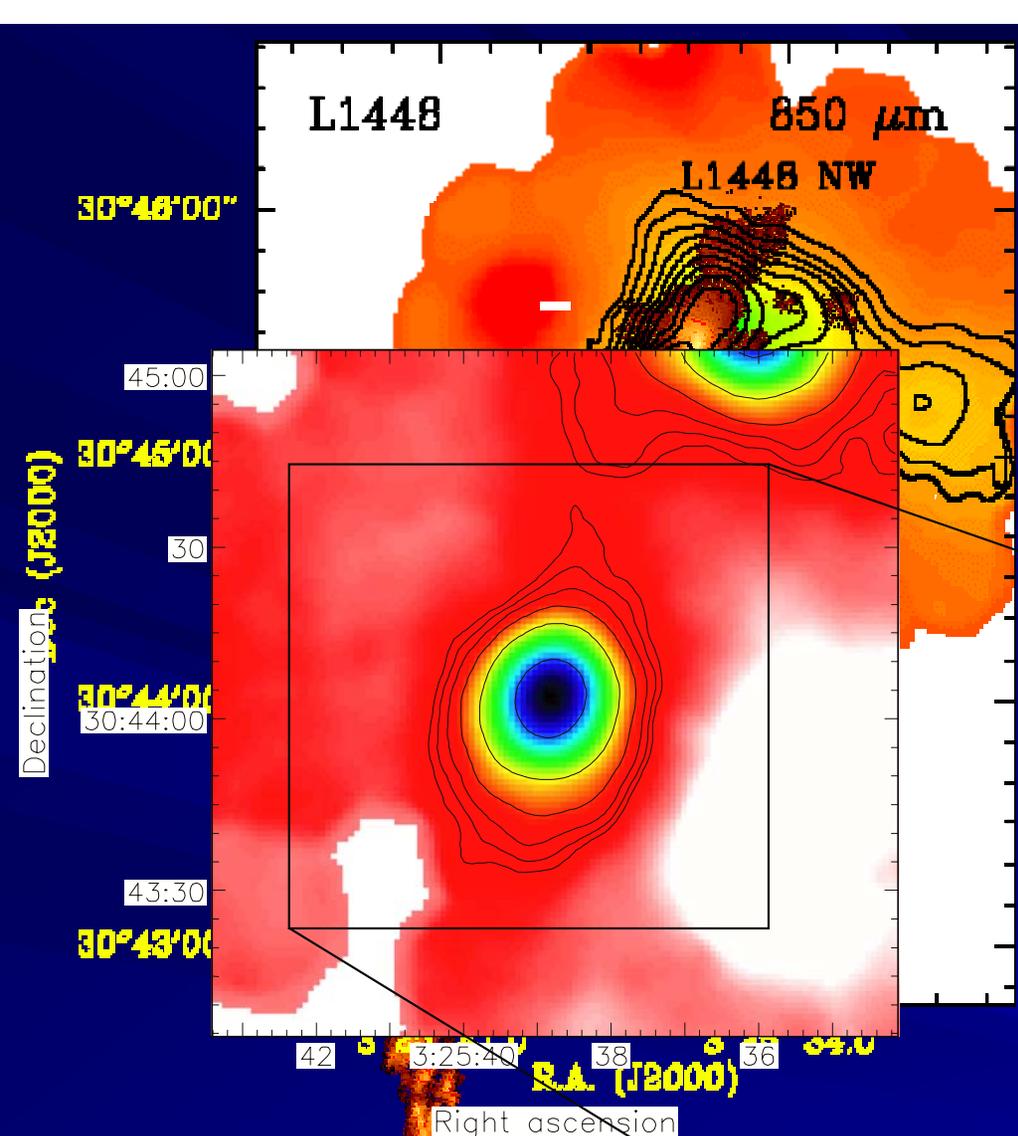
L1448
L1455, NGC 1333, HH211

460 pc
390 pc

L1634
L1641

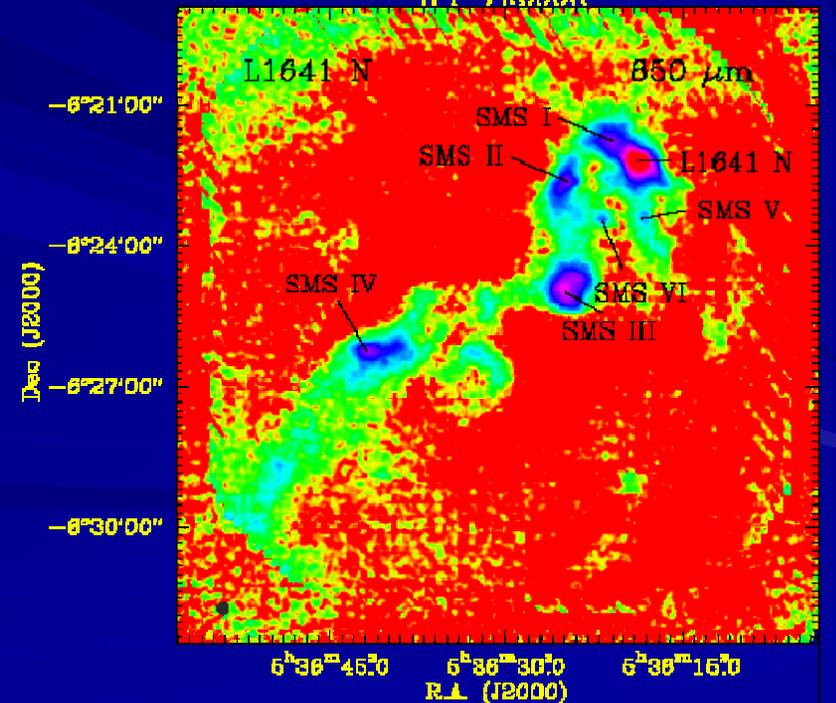
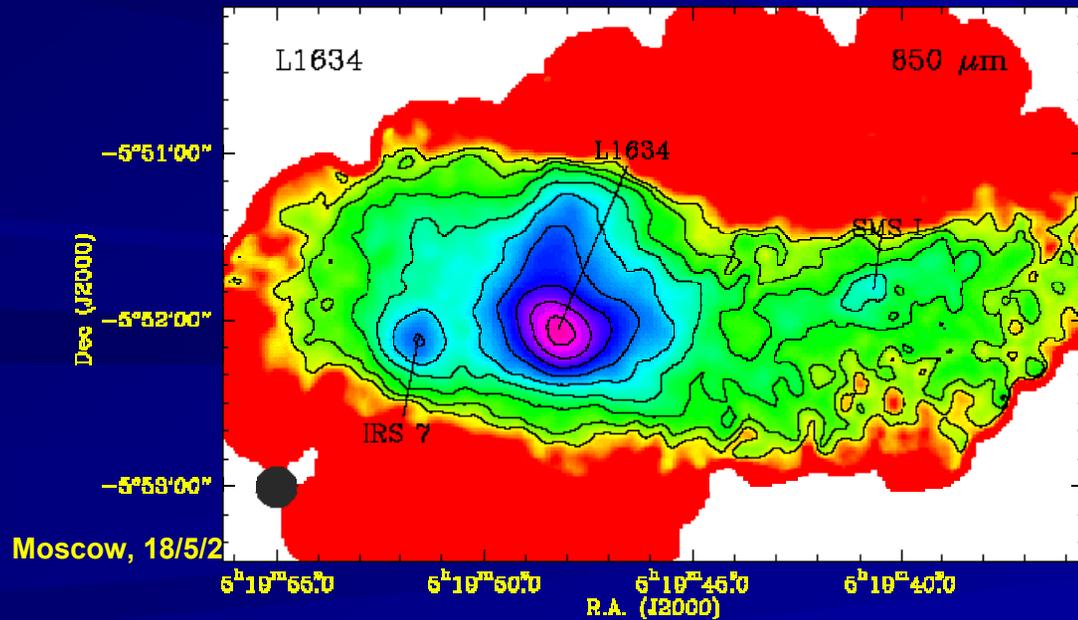
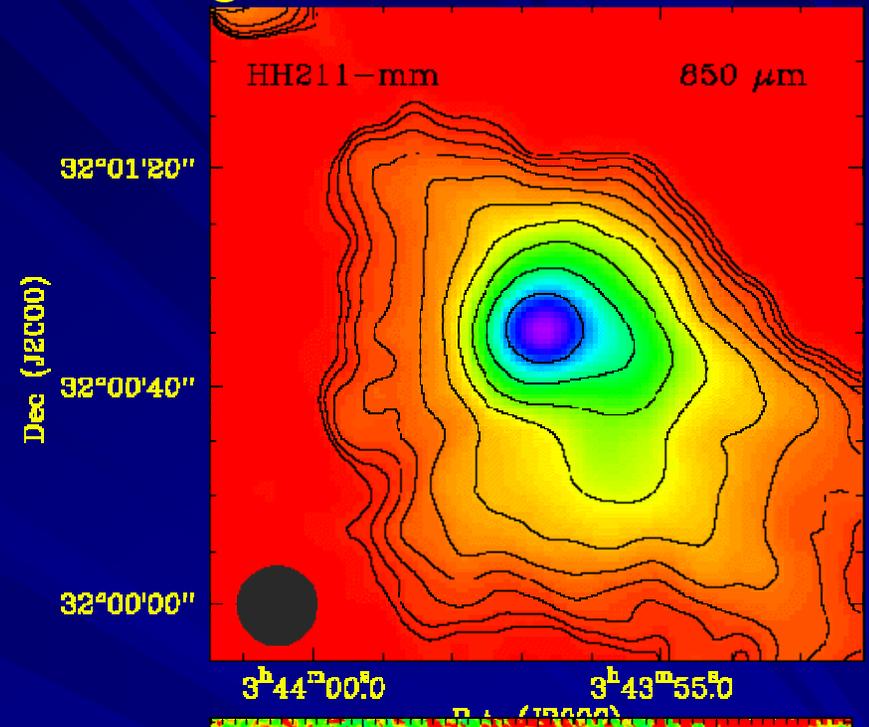
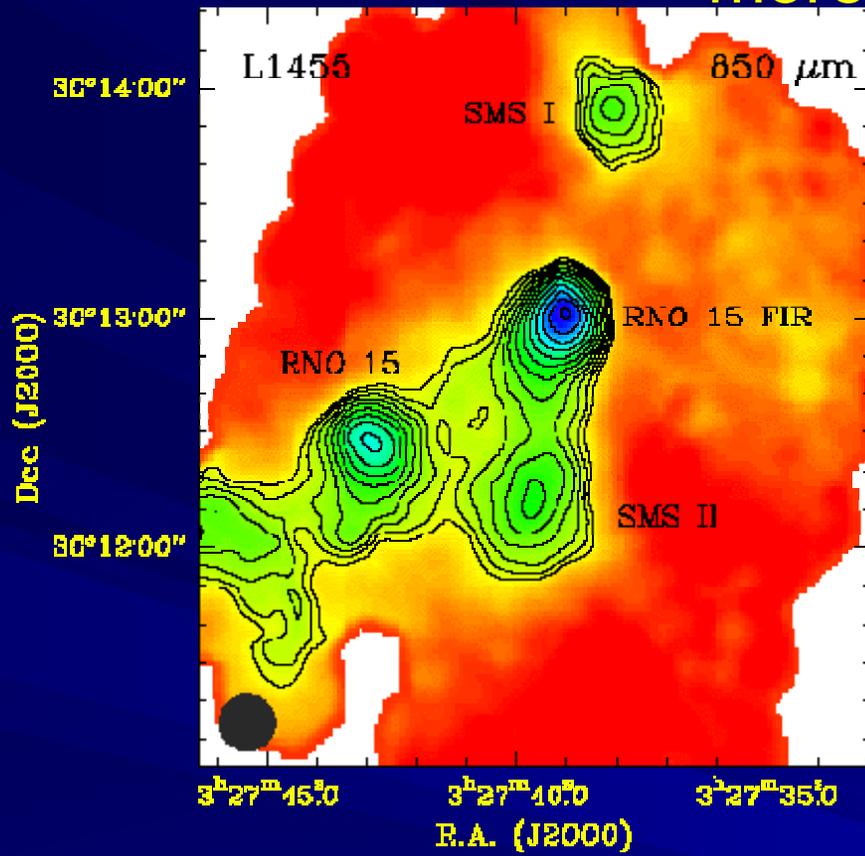
Moscow, 18/5/2009

1 pc = 30.85678×10^{15} m



Example of the contour map of L 1448 at 850 μm

more observed regions



B.- Deriving physical properties

From observations

$$\alpha = (2.8 \pm 0.4)$$

$$\alpha_{450\mu\text{m}/850\mu\text{m}} = \frac{\log(S_{450\mu\text{m}} / S_{850\mu\text{m}})}{\log(850\mu\text{m} / 450\mu\text{m})}$$

$$M_D = \frac{S_\nu D^2}{B_\nu(T_d) \kappa_\nu}$$

S_ν flux at 850 μm
 D cloud distance
 B_ν Planck function
 T_d dust temperature
 κ_ν opacity at 850 μm

Spectral indices

Gas and dust masses

$$M_D = (2.5 \pm 0.6) M_\odot$$

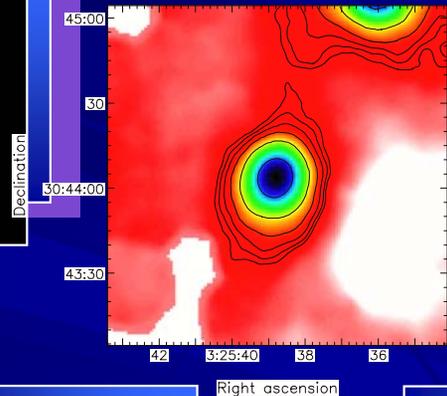
$$a/b = 1.3 \pm 0.2$$

Objects can be roughly described as spherically symmetric

Aspect ratio a/b

Source sizes

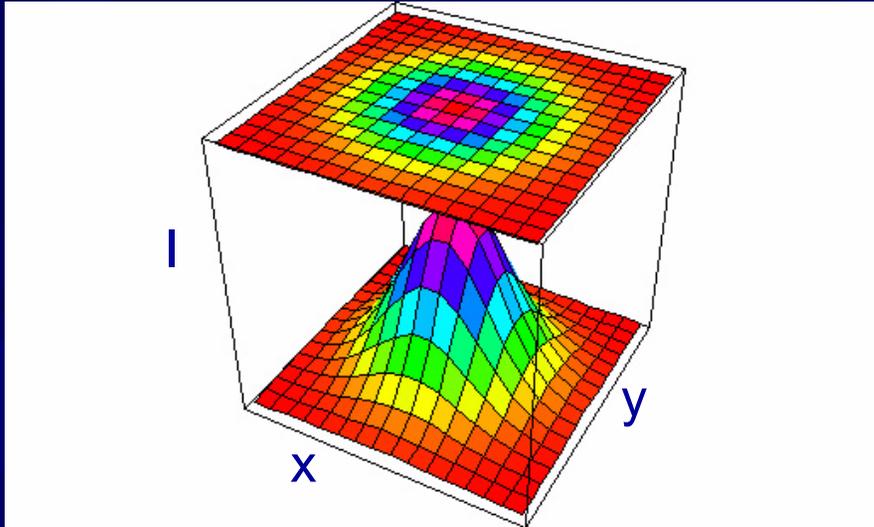
Radial profiles m



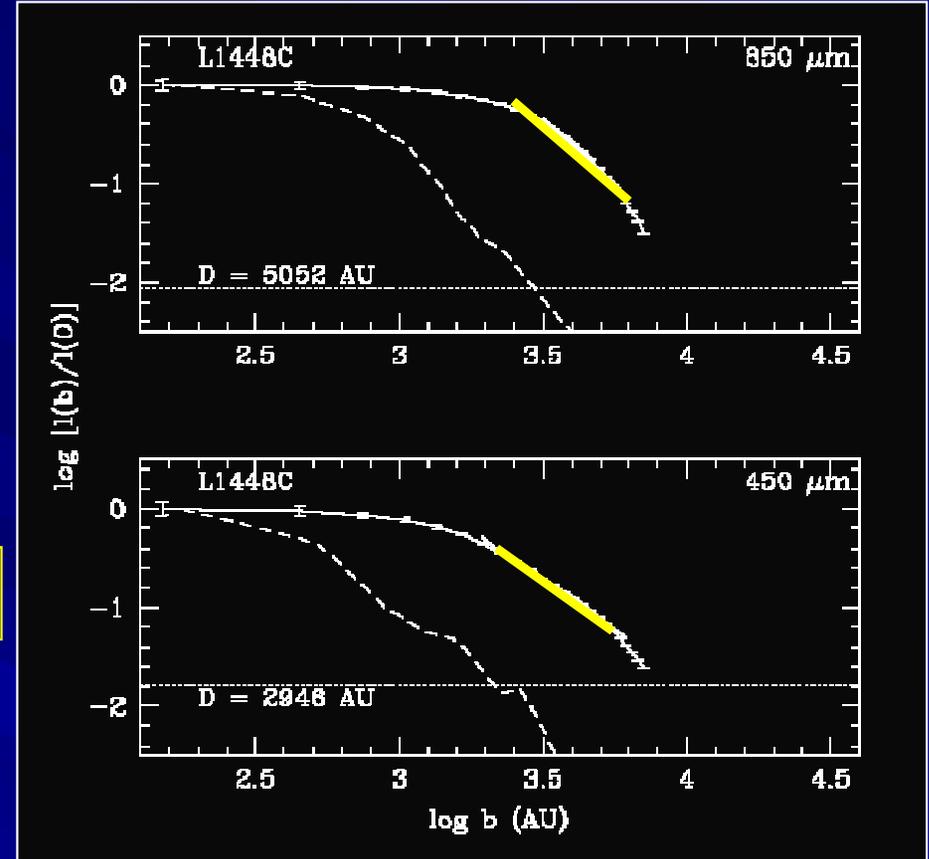
R
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Radial profiles

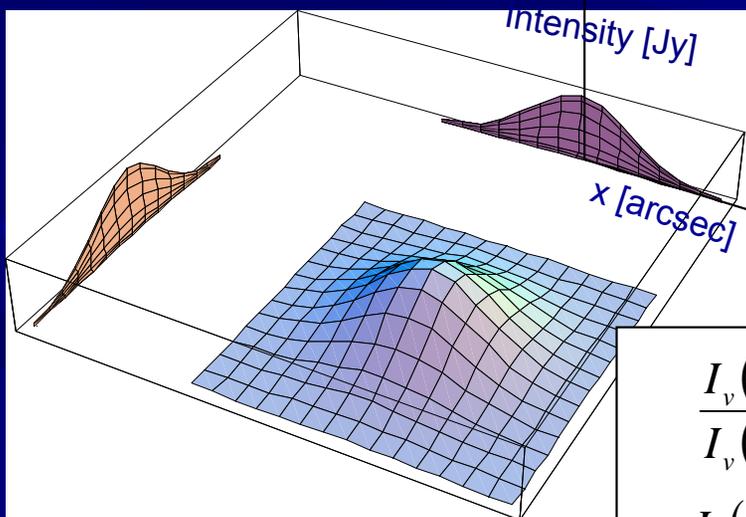
Intensity map



Normalized radial profiles



Intensity profile



$$I_\nu \propto b^{-m}$$

b_0 normalization factor to the peak emission

$$\frac{I_\nu(b)}{I_\nu(0)} = \left(\frac{b}{b_0}\right)^{-m}$$

$$\log \frac{I_\nu(b)}{I_\nu(0)} = -m \log \left(\frac{b}{b_0}\right)$$

$$m = 1.74 \pm 0.02$$

$$q = 0.42 \pm 0.04$$

Result consistent with other works

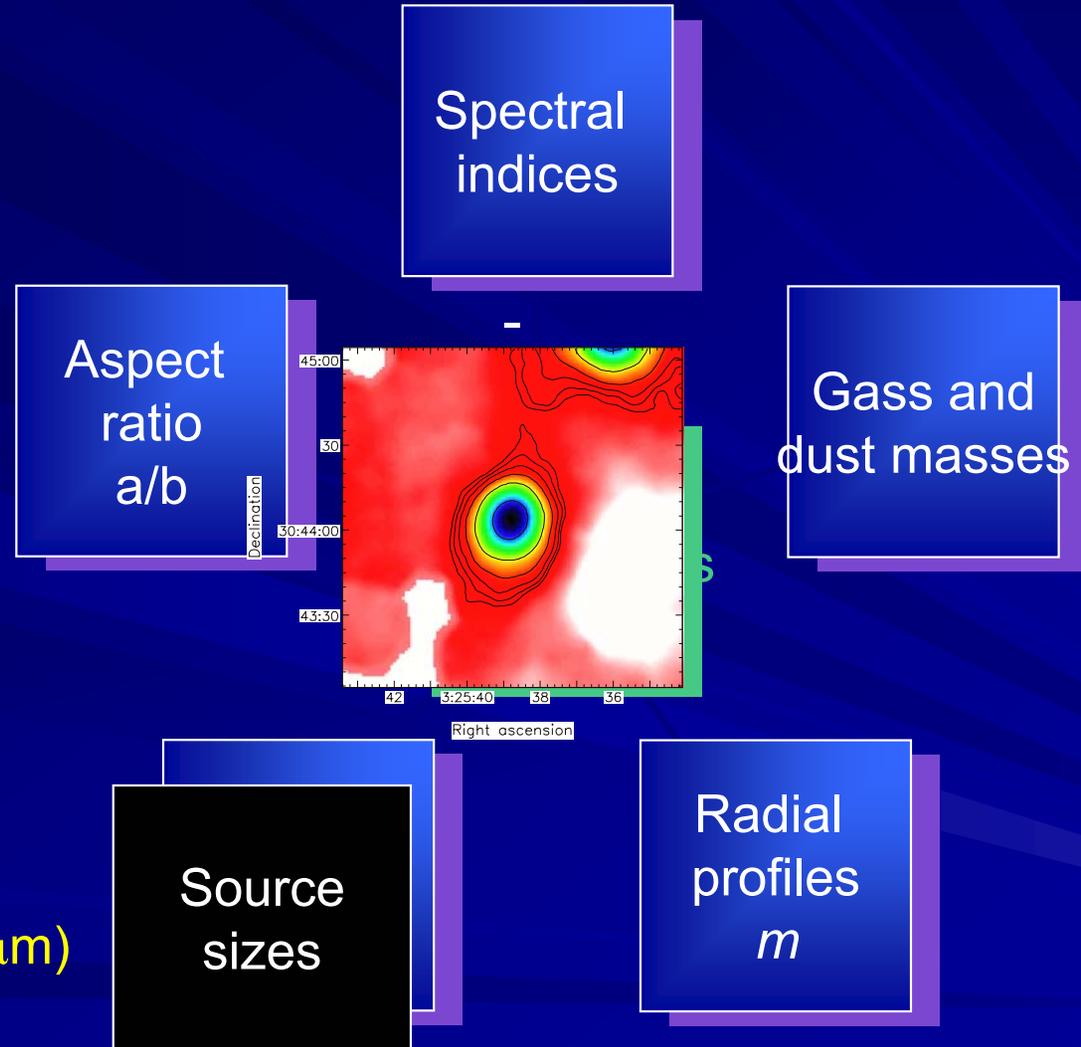
$$q = \frac{2}{4 + \beta}$$

$$1 \text{ AU} = 1.496 \times 10^{11} \text{ m}$$

B.- Deriving physical properties

From observations

R
E
S
U
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T
S



4000-9000 AU ($850 \mu\text{m}$)

$$1 \text{ AU} = 1.496 \times 10^{11} \text{ m}$$

B.- Deriving physical properties

By the blackbody fitting

$$S [Jy] = \Sigma \Omega \cdot (1 - e^{-\tau}) \cdot B(\lambda, T)$$

$\Sigma \Omega$ effective solid angle

β sub-mm slope of the spectral energy distribution

19 L_{\odot} [18.8-19.2] L_{\odot}

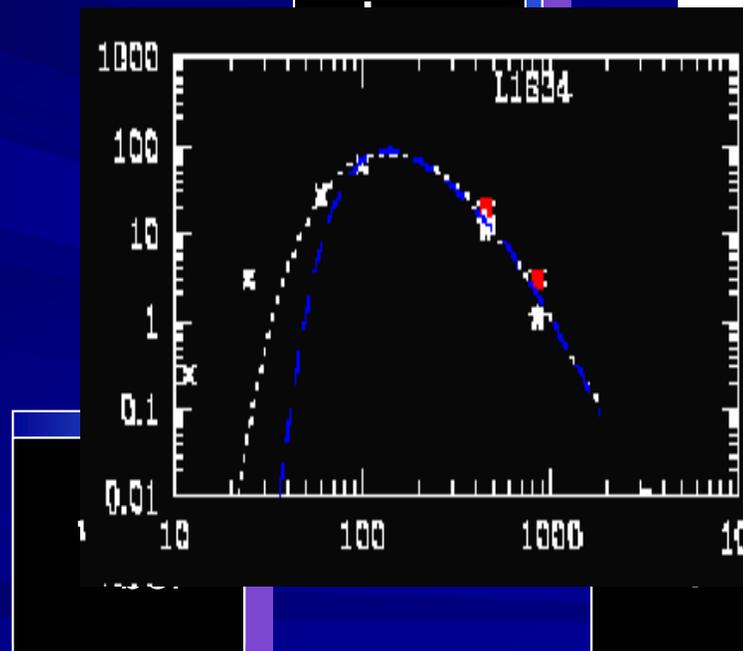
$$\tau = \tau_{100} \cdot \left(\frac{\lambda}{100 \mu m} \right)^{-\beta}$$

Best obtained fit to the Spectral Energy Distribution for L 1634

τ dust optical depth

$$= 4 \pi D^2 \int_0^{\infty} \text{Spectral Energy Distribution}(\nu) d\nu$$

D distance to the object
 ν frequency



42.1 K

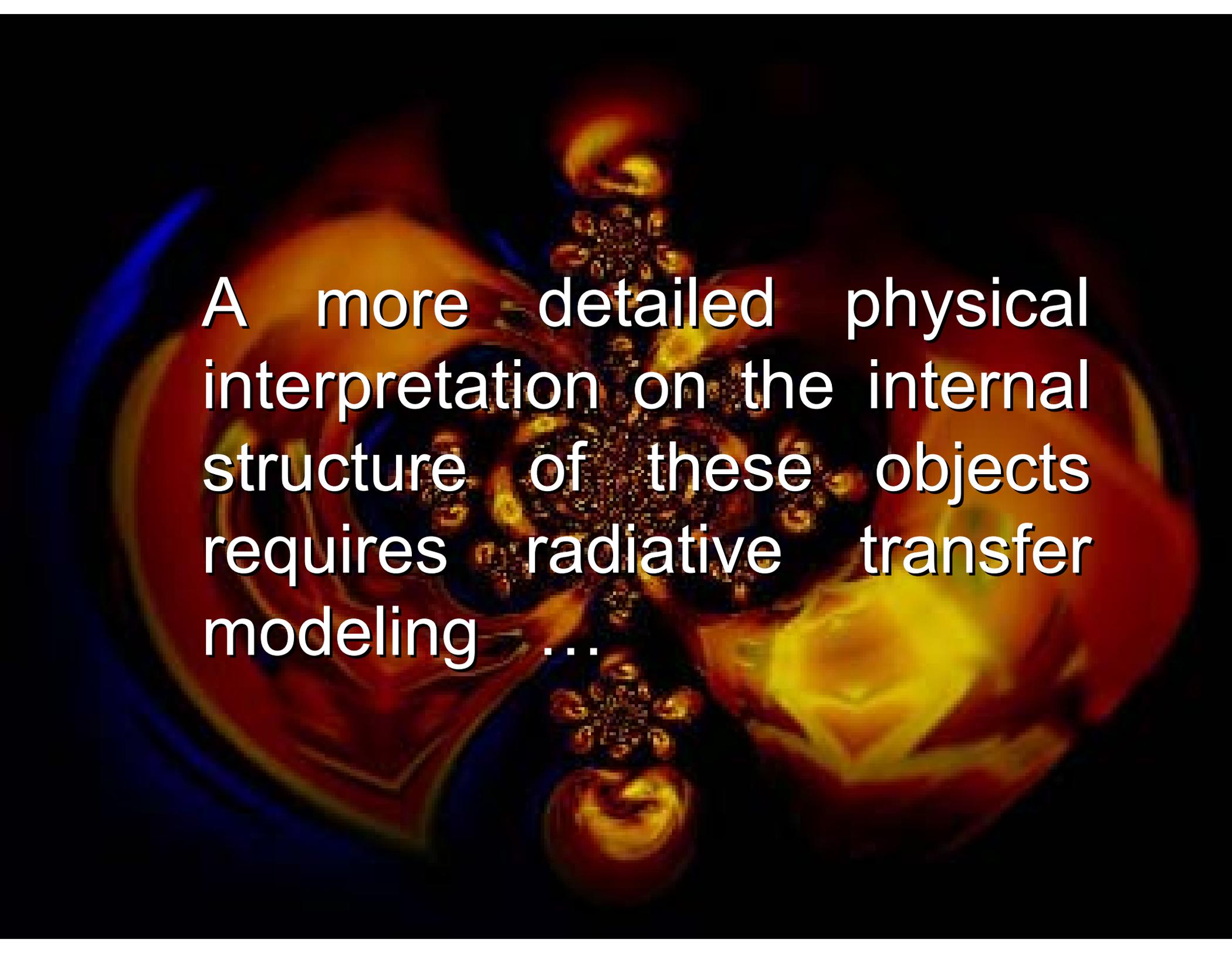
Cool object!

2.0 ± 0.1

Moscow, 18/5/2009

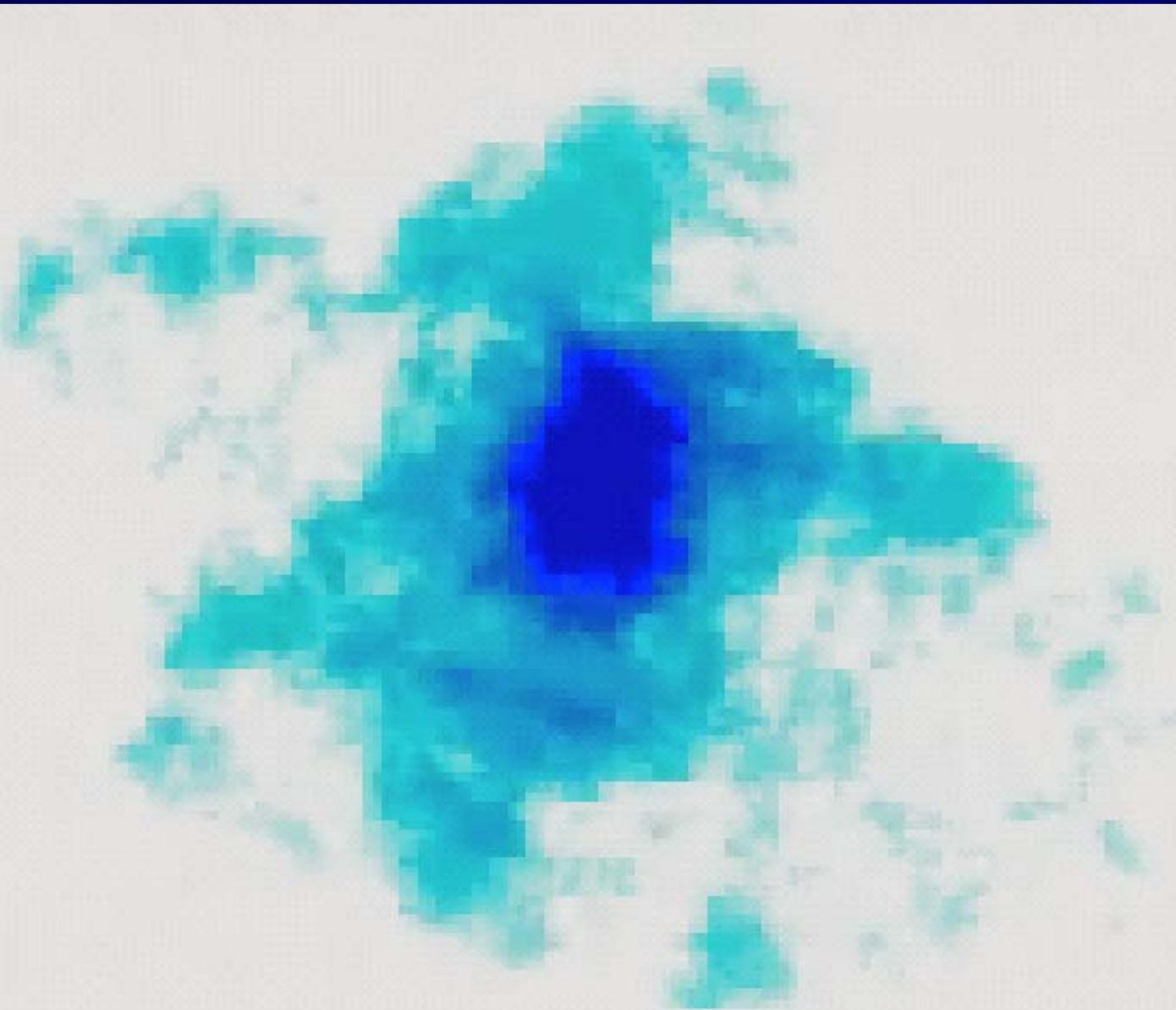
Evolutionary indicator $L_{\text{sub-mm}}/L_{\text{bol}} > 0.005$

Class 0 source



A more detailed physical interpretation on the internal structure of these objects requires radiative transfer modeling ...

III.- The Envelope Fitting Procedure



Temperature profile

Spectral Energy Distribution

Intensity map

stellar luminosity

effective temperature

outer radius

density distribution

density power-law index

sublimation radius

mass of the envelope

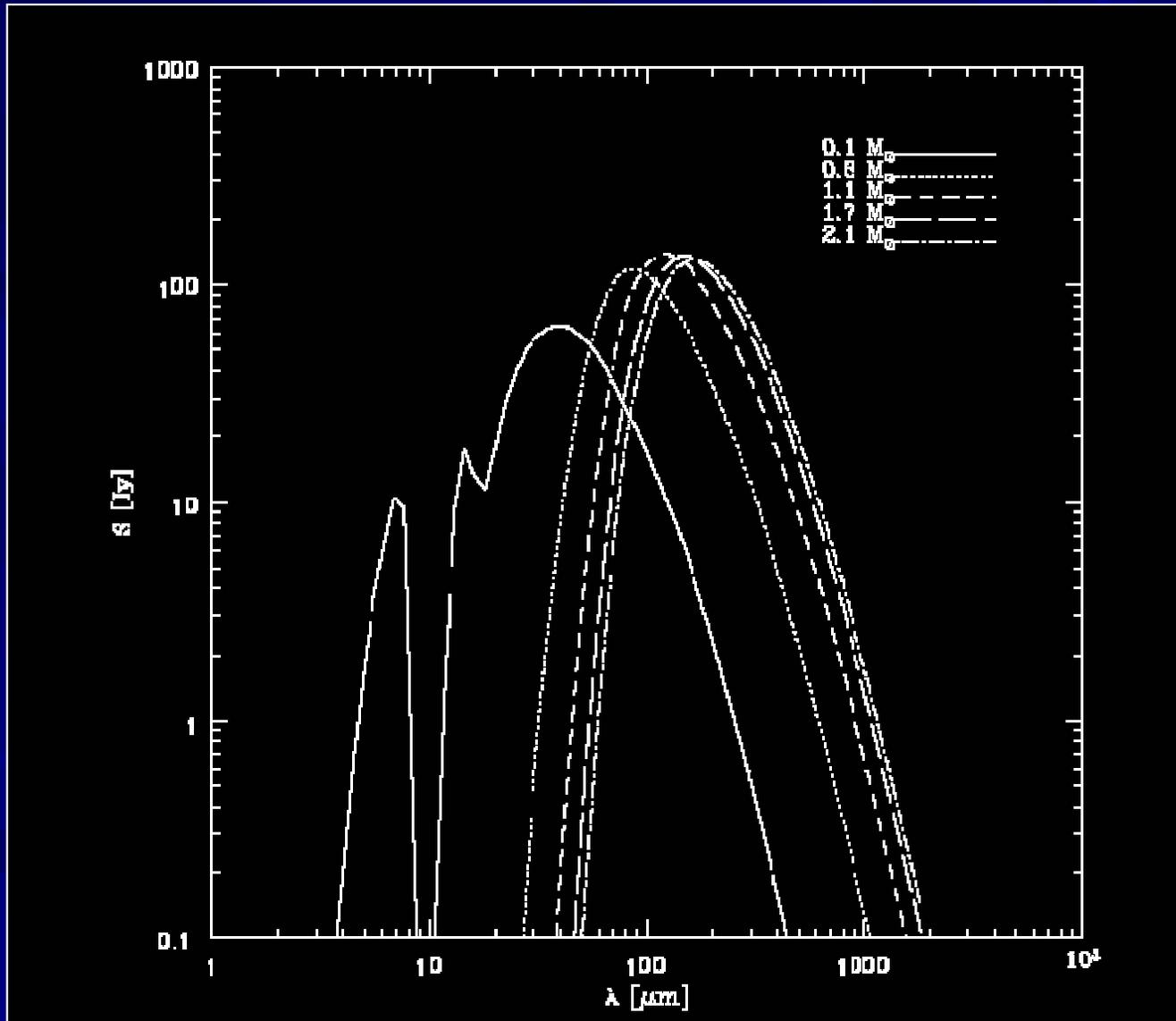
dust grain size distribution: silicate (62.5%), graphite (37.5%)

grain sizes: 0.005-0.25 μm

Optical constants: Draine & Lee, 1984

Changes in envelope mass

Variations in the spectral energy distribution due to changes in the envelope mass



$L_* = 11 L_{\odot}$
 $p = 1.6$
 $R_{\text{out}} = 3000 \text{ AU}$
 $R_{\text{sub}} = 5 R_{\odot}$

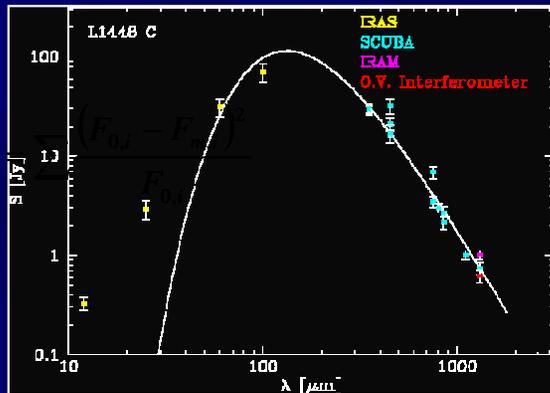
$1 M_{\odot} = 1.9891 \times 10^{30} \text{ kg}$

$1 \text{ Jy} = 10^{-27} \text{ W m}^{-2} \text{ Hz}^{-1}$

$$S^2 = \sum \frac{(F_{0,i} - F_{m,i})^2}{F_{0,i}}$$

Comparison of models with observations

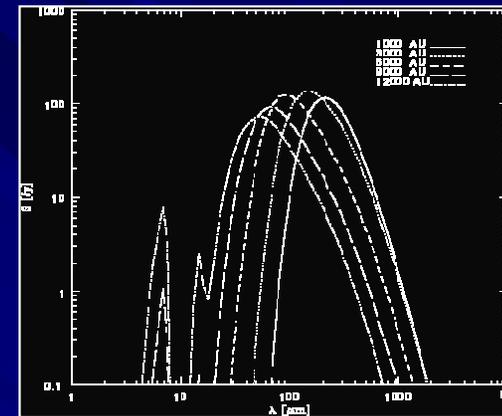
Observed spectral energy distribution



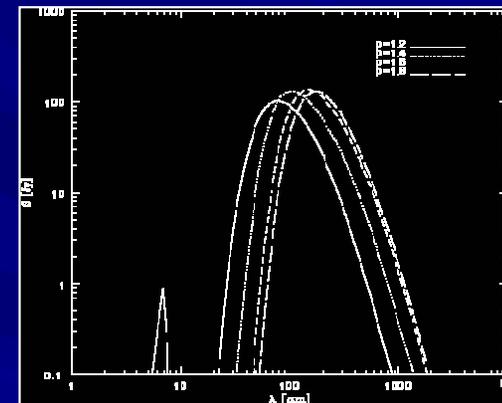
$$S^2 = \sum \frac{(F_{0,i} - F_{m,i})^2}{F_{0,i}}$$

$F_{0,i}$ observed flux at wavelength i
 $F_{m,i}$ modeled flux at wavelength i

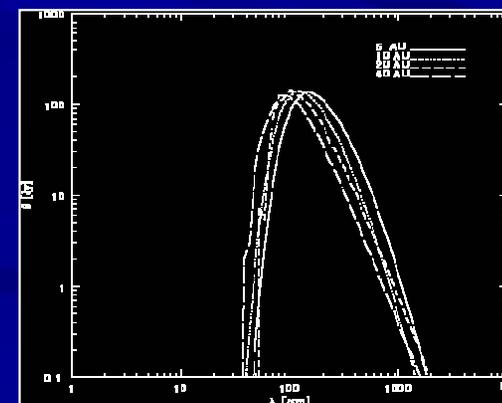
Modelled spectral energy distributions



Outer radius

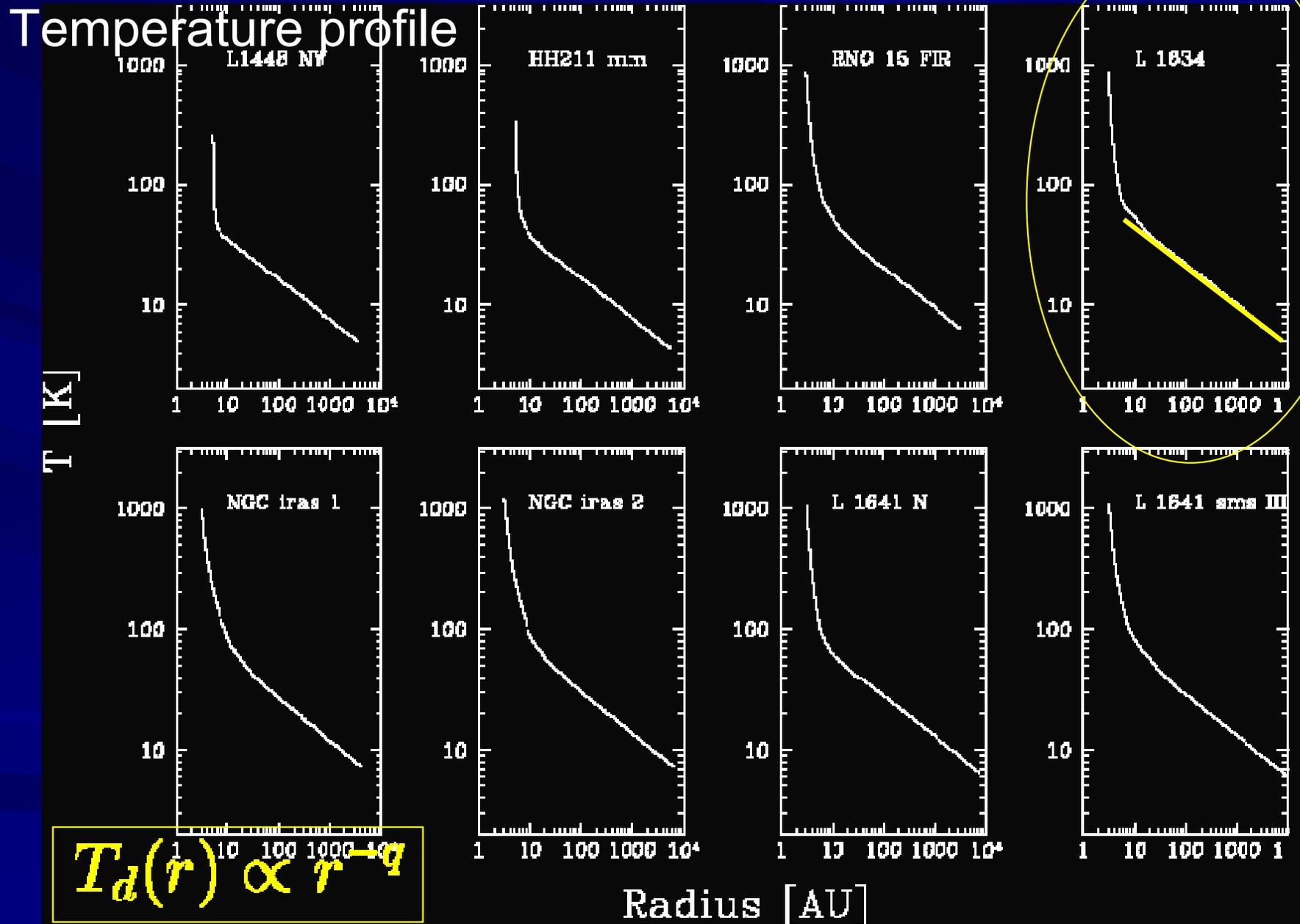


p



Inner radius

Modelling observations: Radiative Transfer



Moscow, 18/5/2009

1 AU = 1.496×10^{11} m

$$\rho(r) \propto r^{-p}$$

L 1448 C

Output Parameters:

$$L_{\text{bol}} = 11 L_{\odot}$$

$$R_{\text{sub}} = 5 \text{ AU}$$

$$R_{\text{out}} = 3000 \text{ AU}$$

$$p = 1.6$$

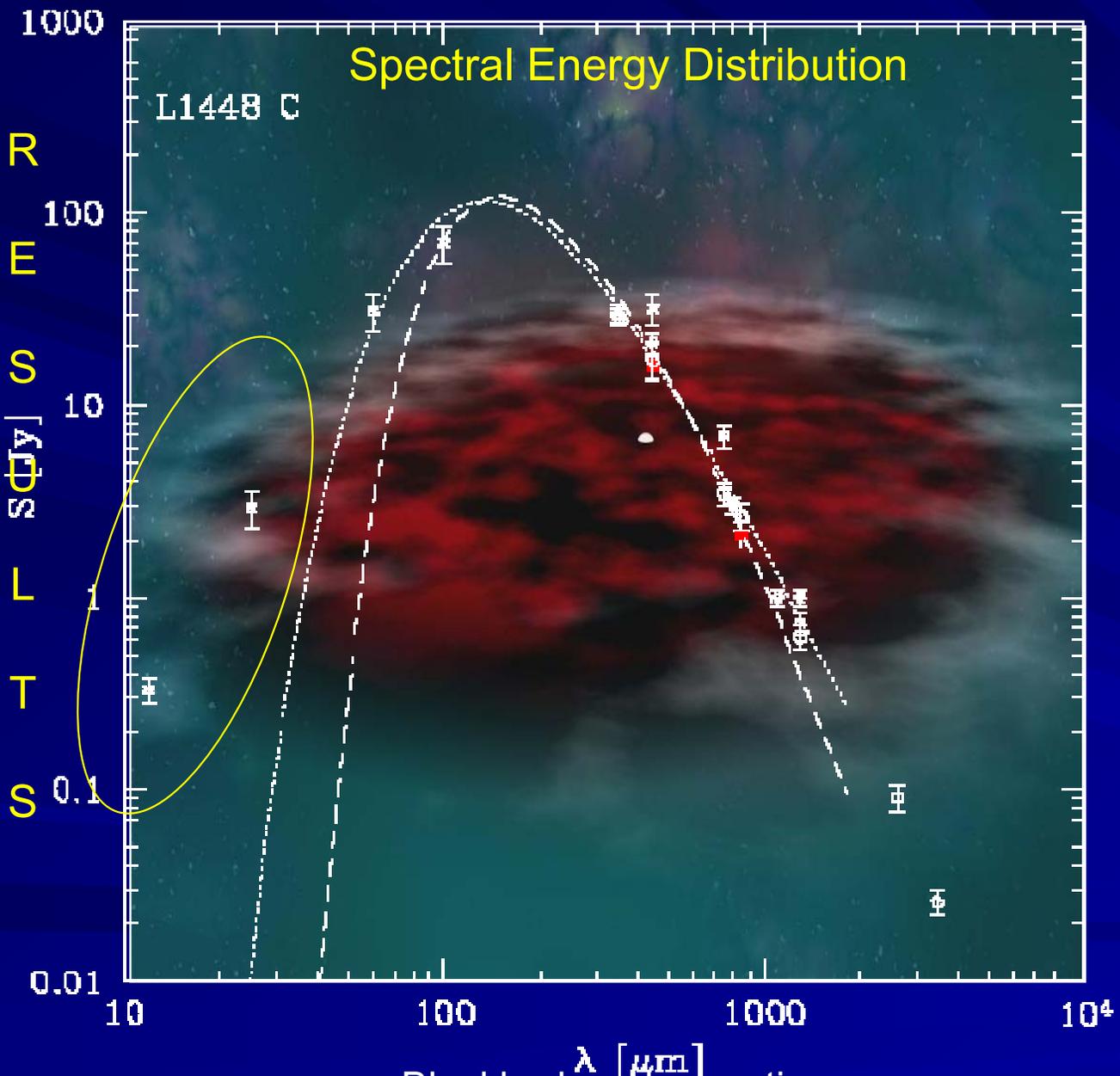
$$M_{\text{env}} = 1.7 M_{\odot}$$

$$1 \text{ Jy} = 10^{-27} \text{ W m}^{-2} \text{ Hz}^{-1}$$

$$1 M_{\odot} = 1.989 \times 10^{30} \text{ kg}$$

$$1 L_{\odot} = 3.90 \times 10^{26} \text{ W}$$

$$1 \text{ AU} = 1.496 \times 10^{11} \text{ m}$$

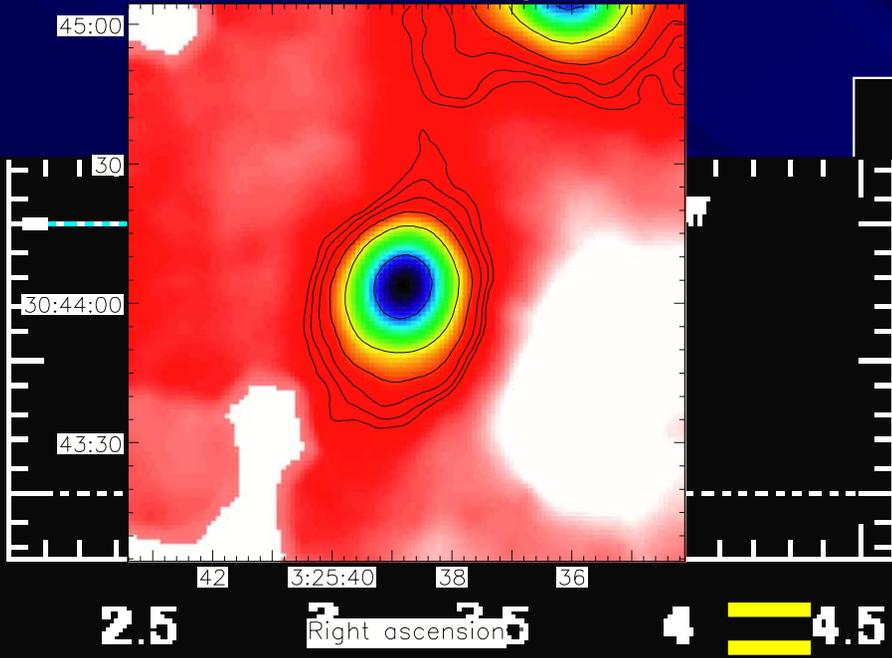


Moscow, 18/5/2009 Blackbody - observations
 ----- Radiative transfer modeling

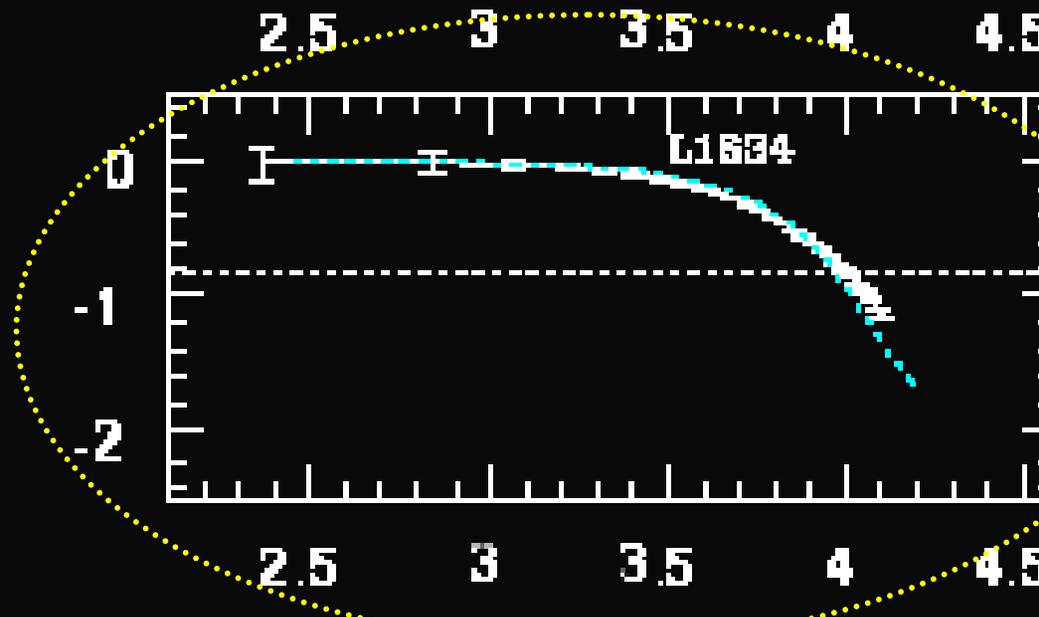
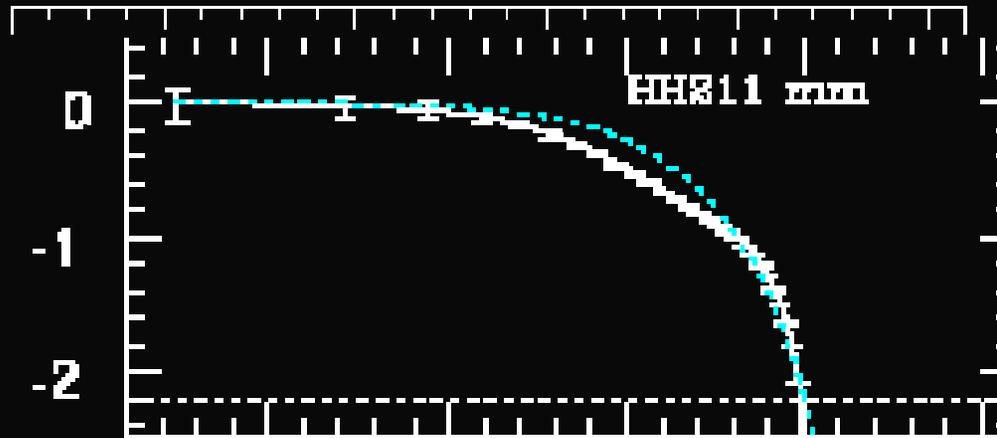
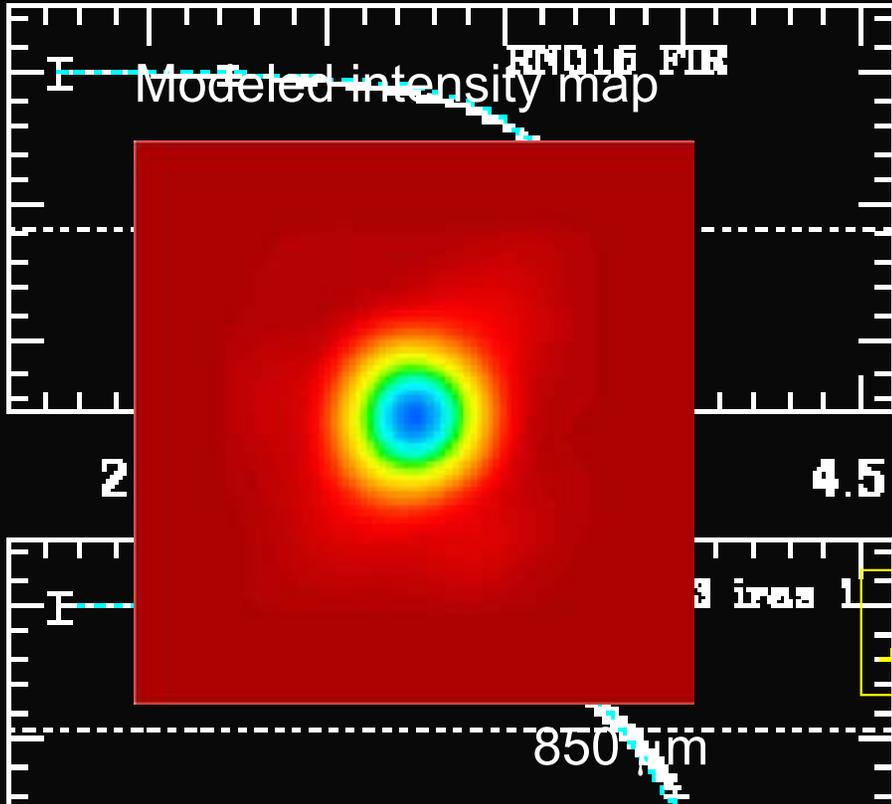
Observed intensity map

Observed and simulated radial profiles

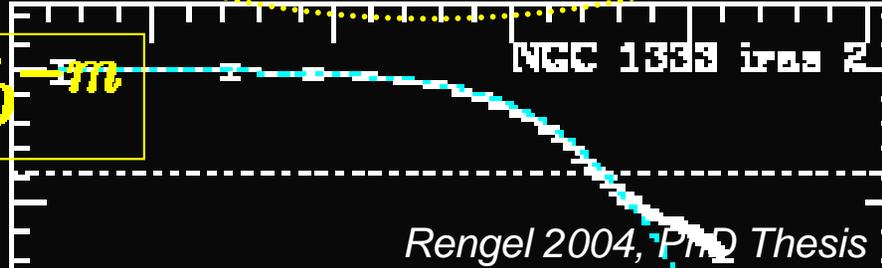
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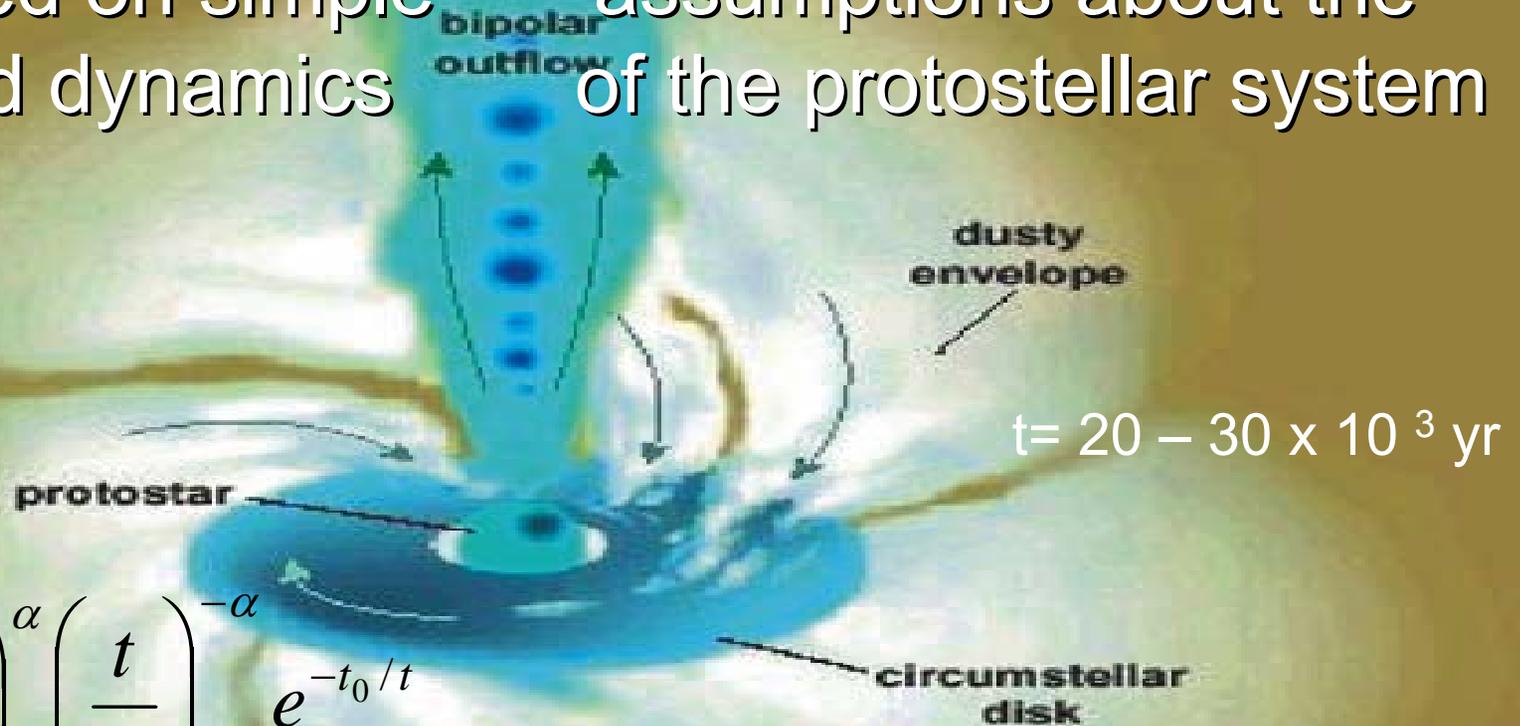


$$I_\nu \propto b^{-m}$$



III. An evolutionary scheme for Class 0 Sources

Model based on simple physics and dynamics assumptions about the of the protostellar system



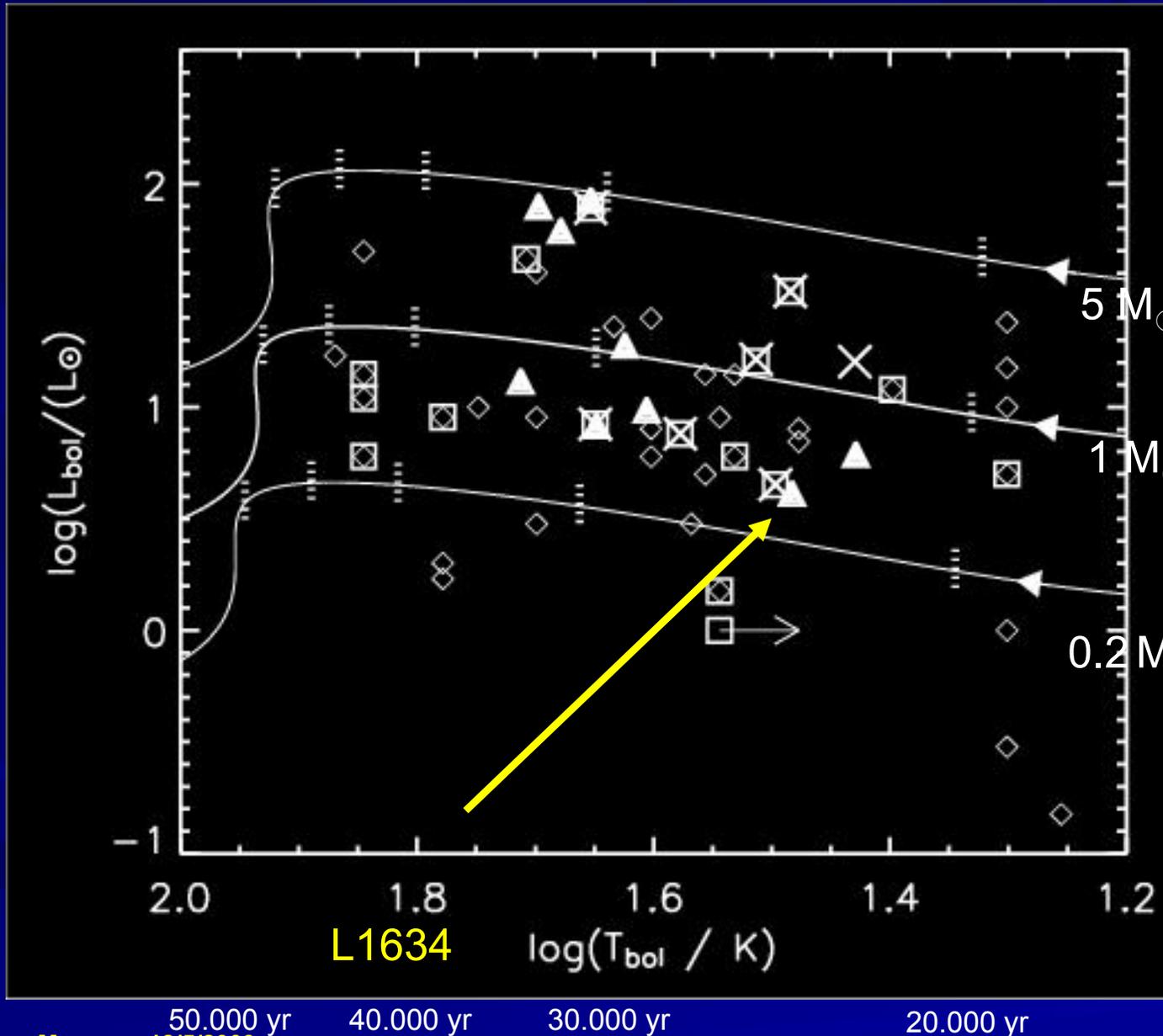
$$\dot{M}_{acc} = \dot{M}_o \left(\frac{e}{\alpha} \right)^\alpha \left(\frac{t}{t_0} \right)^{-\alpha} e^{-t_0/t}$$

$$\dot{M}_{inf} \leftarrow \varepsilon(t) = \eta \left(\frac{\dot{M}_{acc}}{\dot{M}_o} \right)^\zeta$$

- \dot{M}_{acc} envelope material accreted per year
- ε escaped mass through jets per year
- \dot{M}_{inf} total material accreted per year
- \dot{M}_o envelope initial mass
- α power-law index
- t dissipation timescale
- t_0 zero point of time
- η peak outflow efficiency
- ζ maximum jet ejection fraction

Mass and age determination

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U
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S



Direct analog to
the Hertzsprung-Russell Diagram =
Bolometric Luminosity-Temperature Diagram

Evolutionary
tracks
for protostars
(Smith 2002, Myers 1998)

$$1 M_{\odot} = 1.989 \times 10^{30} \text{ kg}$$

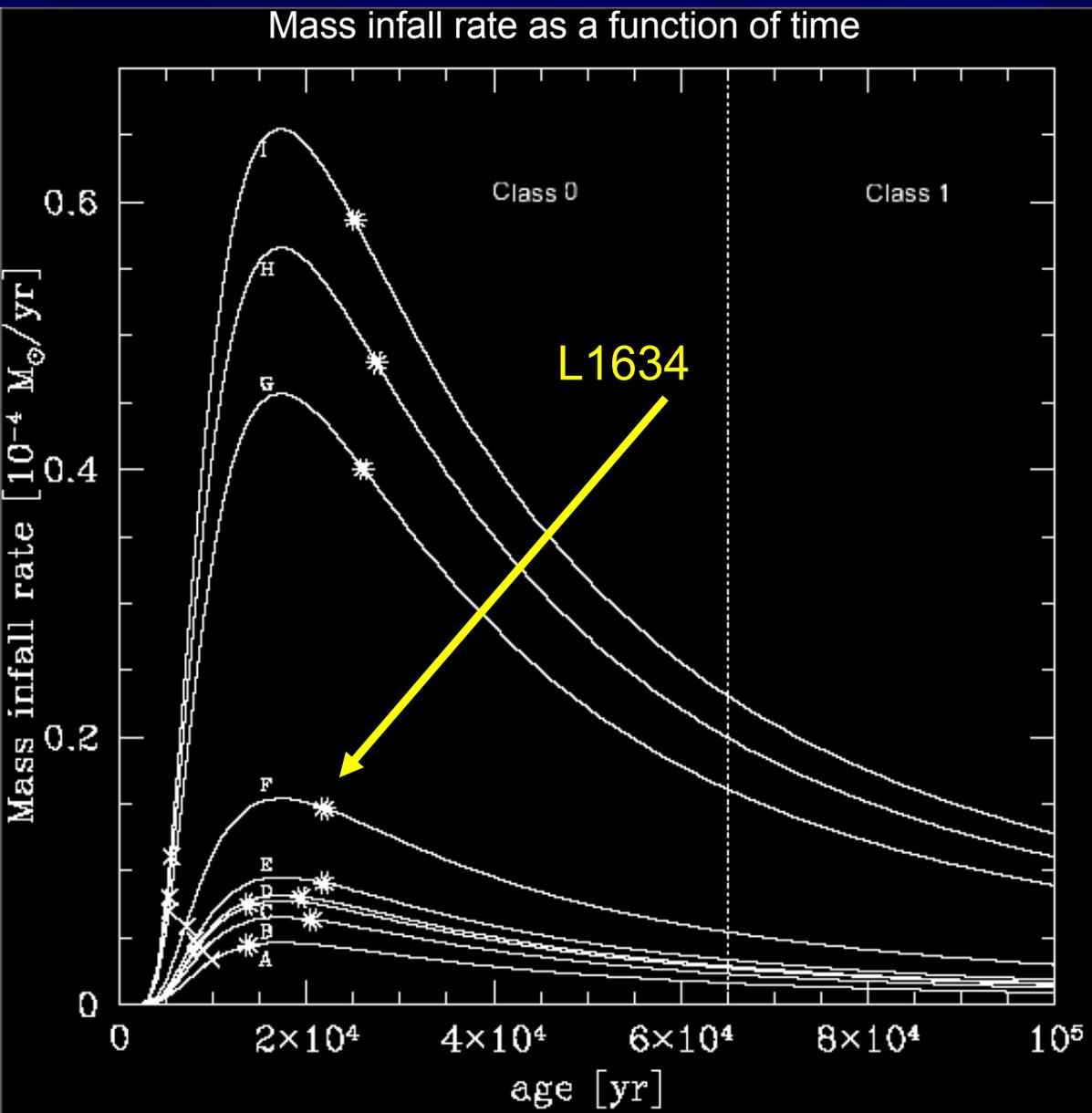
$$1 L_{\odot} = 3.90 \times 10^{26} \text{ W}$$

- ▲ Rengel 2004
- André et al. 2000
- × Froebrich et al. 2003
- ◇ Stanke 2000

50.000 yr
Moscow, 18/5/2009

Rengel M., Hodapp K., Froebrich D., Wolf S., Eisloffel J. In "Proc. 13th Cambridge Workshop on Cool Stars, Stellar Systems, and the Sun", Hamburg (Germany), 5-9 July 2004, F.Favata et al., eds.

Infall Evolution

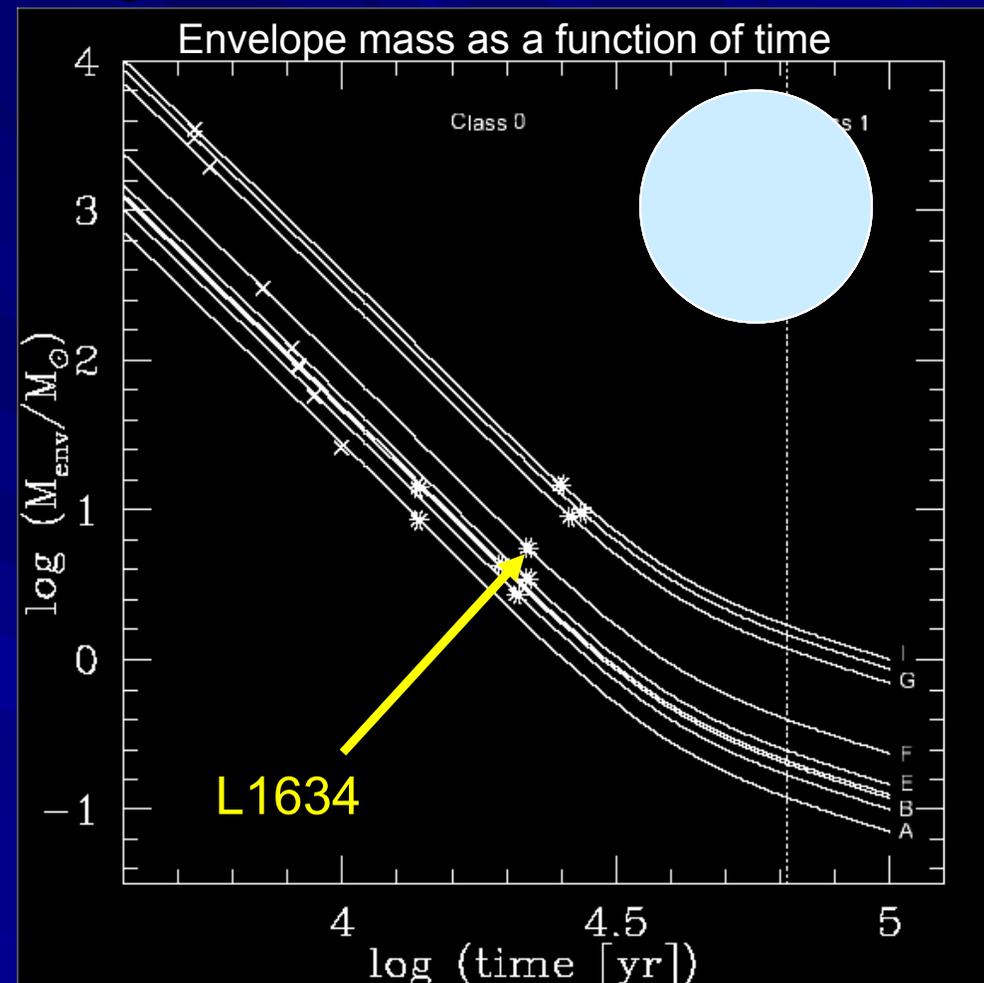
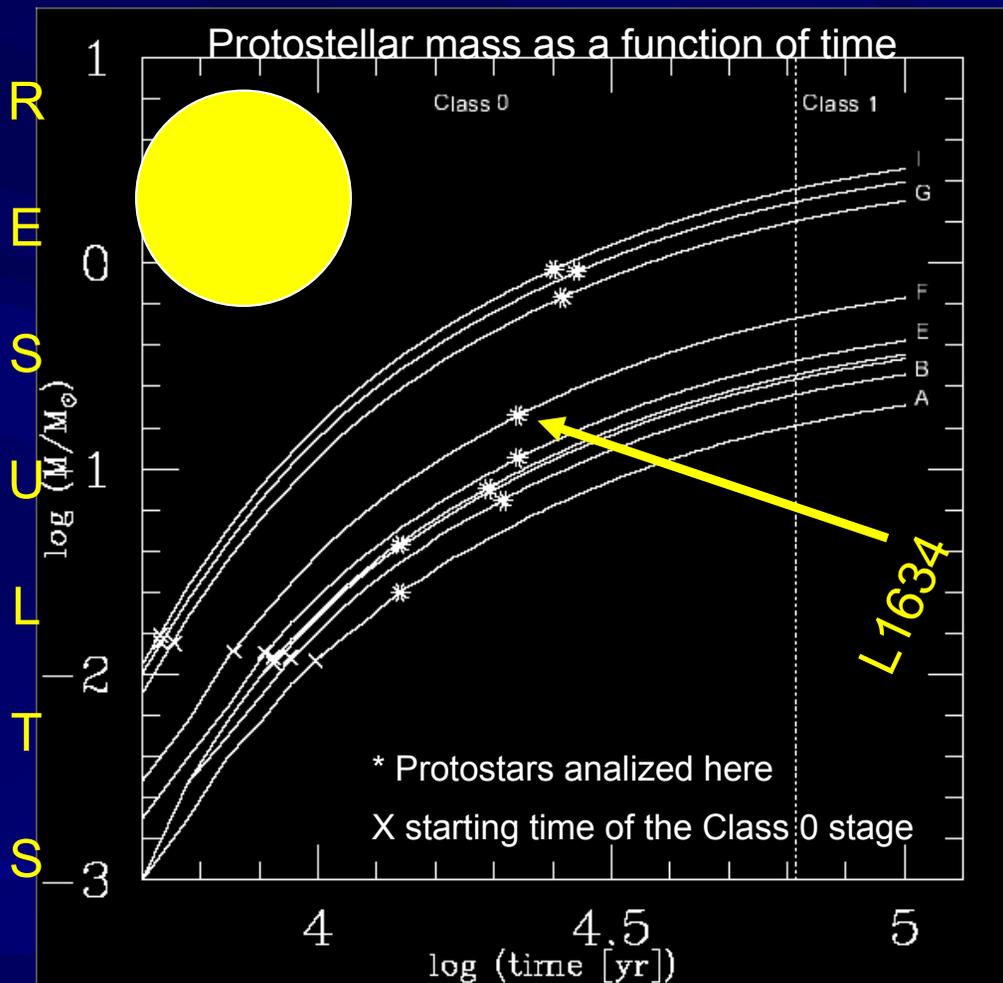


- Class 0 sources grow by accretion at rate that is initially high, but declines with time
- Mass infall rate strongly time-dependent
- Peaking at $t \sim 17000$ yr
- Mass infall dominated by Class 0 phase, thus determining protostellar evolution

$$1 M_{\odot} = 1.9891 \times 10^{30} \text{ kg}$$

$$M_{\text{env}} = M_{\text{core}}$$

Evolution of the protostellar core and envelope masses



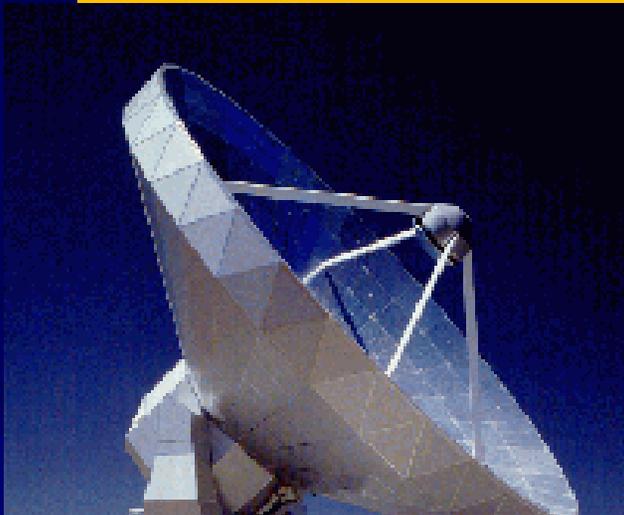
Core still growing in mass in Class 0 phase by accretion of envelope material, gradually reaching final size and mass. Envelope is losing its material.

Moscow, 18/5/2009

$1 M_{\odot} = 1.9891 \times 10^{30} \text{ kg}$

Rengel 2004, PhD Thesis

Line profiles of molecular transitions



SEST 15m, Chile
6-8th January 2003

Instruments: heterodyne receivers

SE SIS 100 [78 – 116 GHz]

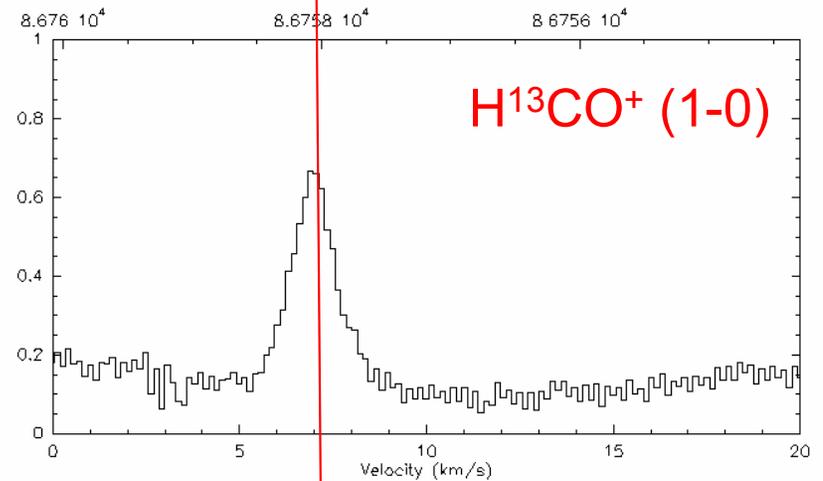
IRAM 115 [80-116 GHz]

SE SIS 150 [128-170 GHz]

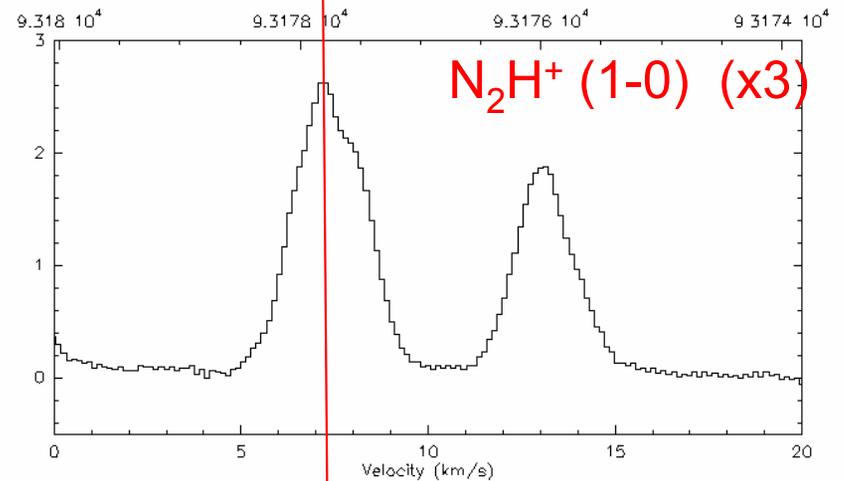
IRAM 230 [210 – 238 GHz]

Moscow, 18/5/2009

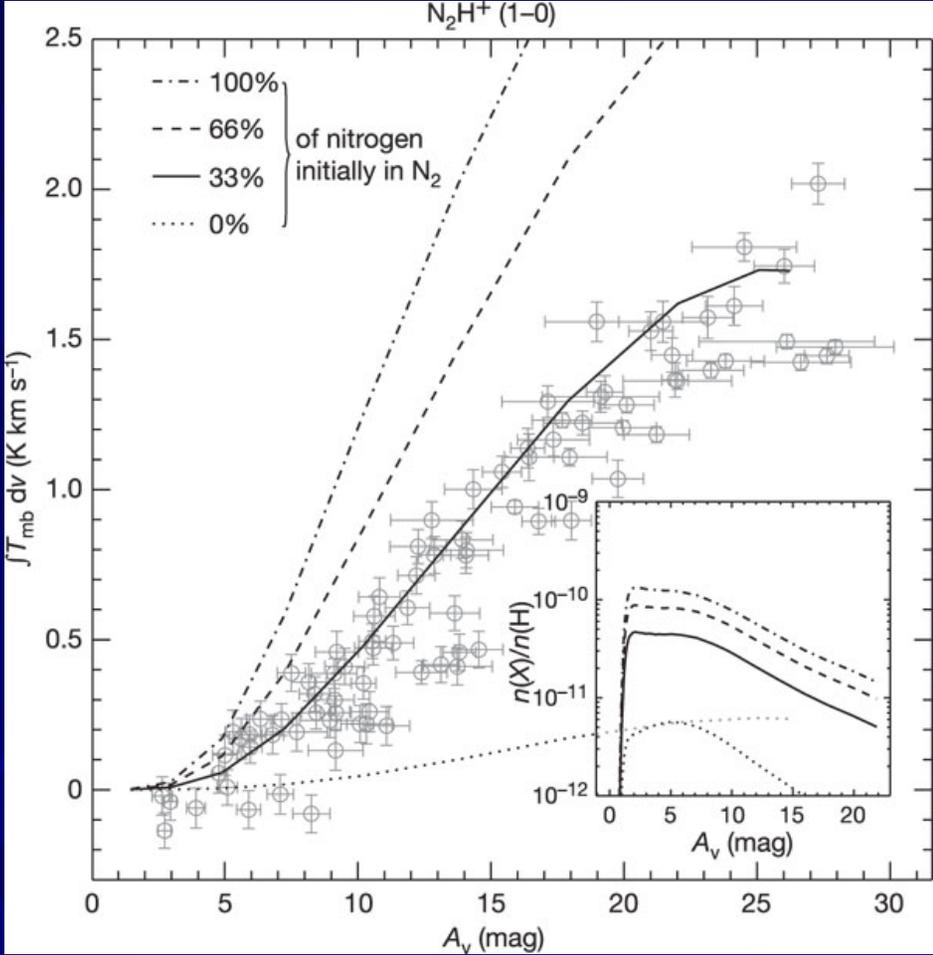
```
14940; 0 L1641      H13CO+1-0   SEST115HRS-B 0:09-JAN-2003 R:09-JAN-2003
RA:05:36:19.000 DEC:-06:22:13.00 Eq 2000.0 Offs: +0.0 +0.0
Unknown Tau: -0.525 Tsys: 158. Time: 40. El: 48.5
N: 1000 I0: 501.0 V0: 20.0 Dv: 0.147 LSR
F0: 86754.2940 Df: -4.2602E-02 Fi: 89739.9286
```



```
14625; 0 L1641      N2H+1-0     SEST115HRS-B 0:09-JAN-2003 R:09-JAN-2003
RA:05:36:19.000 DEC:-06:22:13.00 Eq 2000.0 Offs: +0.0 +0.0
Unknown Tau: -0.618 Tsys: 159. Time: 47. El: 64.9
N: 1000 I0: 501.0 V0: 20.0 Dv: 0.137 LSR
F0: 93173.8300 Df: -4.2602E-02 Fi: 96158.5178
```



N_2H^+ abundance depends solely on the N_2 abundance



Maret et al. 2006, Nature 442

N_2H^+ abundance $\sim 1 \times 10^{-10}$

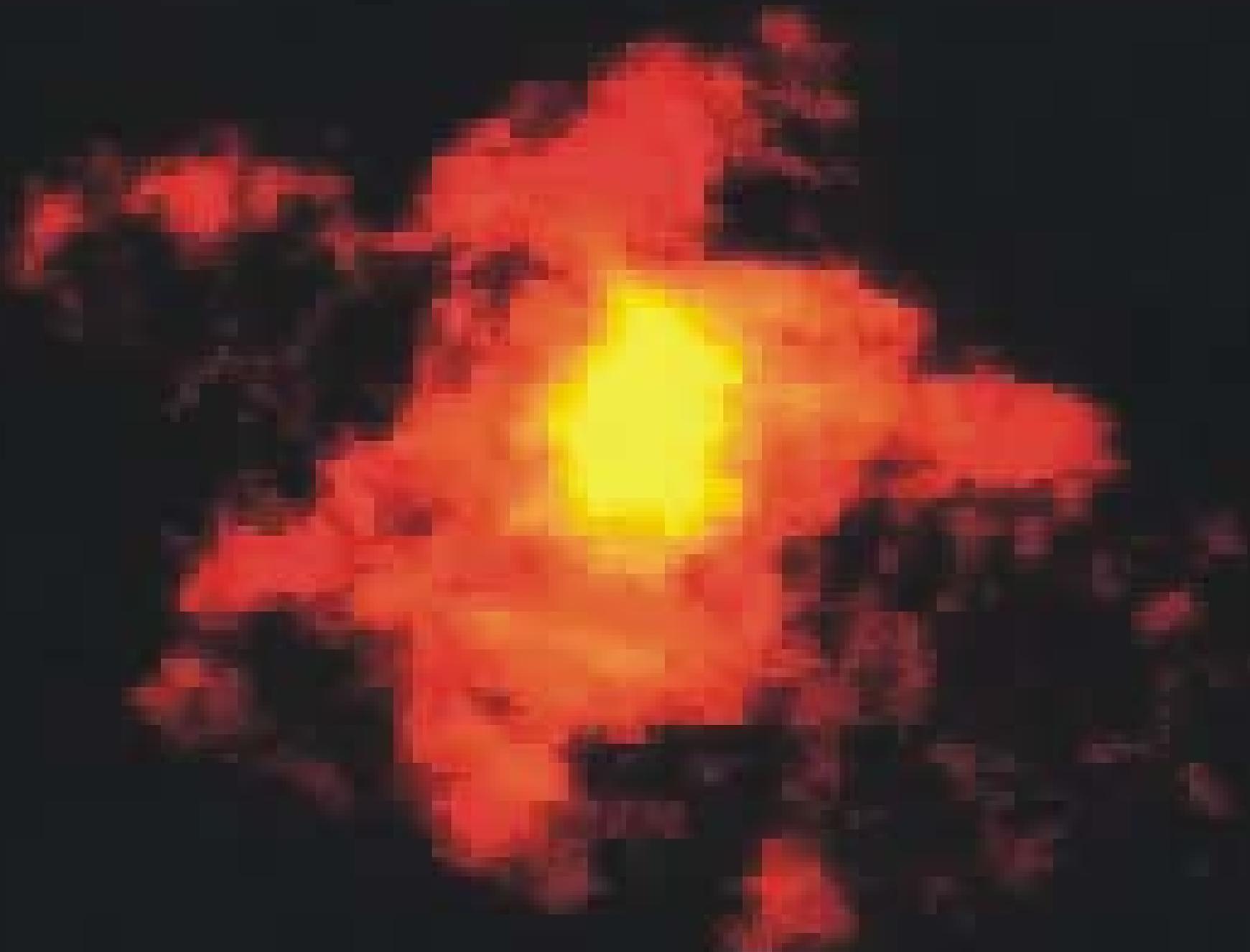
$H^{13}CO^+$ abundance $\sim 2 \times 10^{-7}$

As a first approximation:

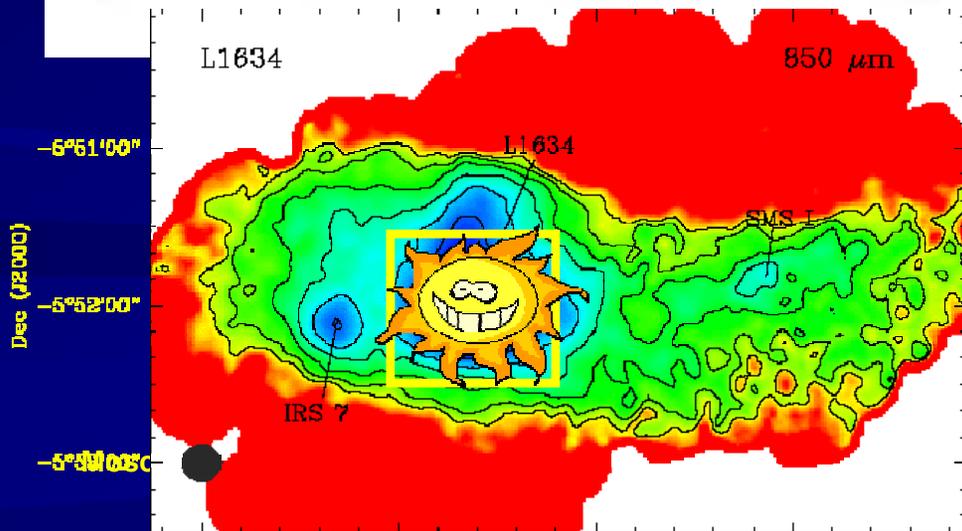
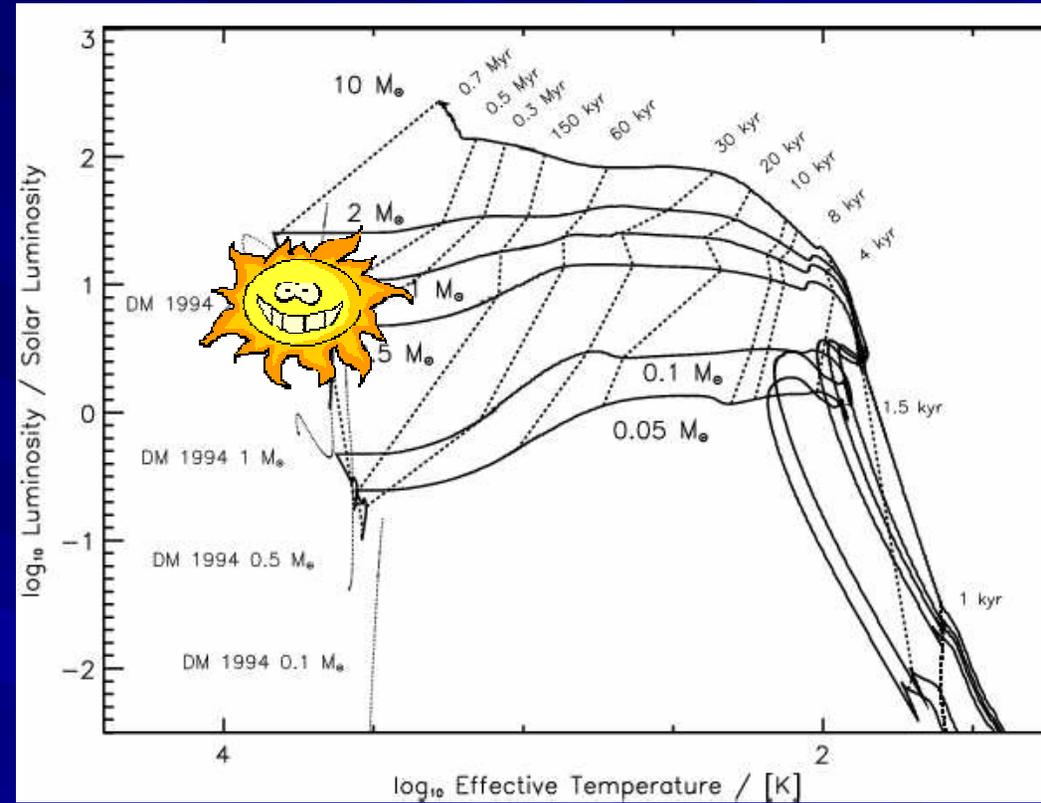
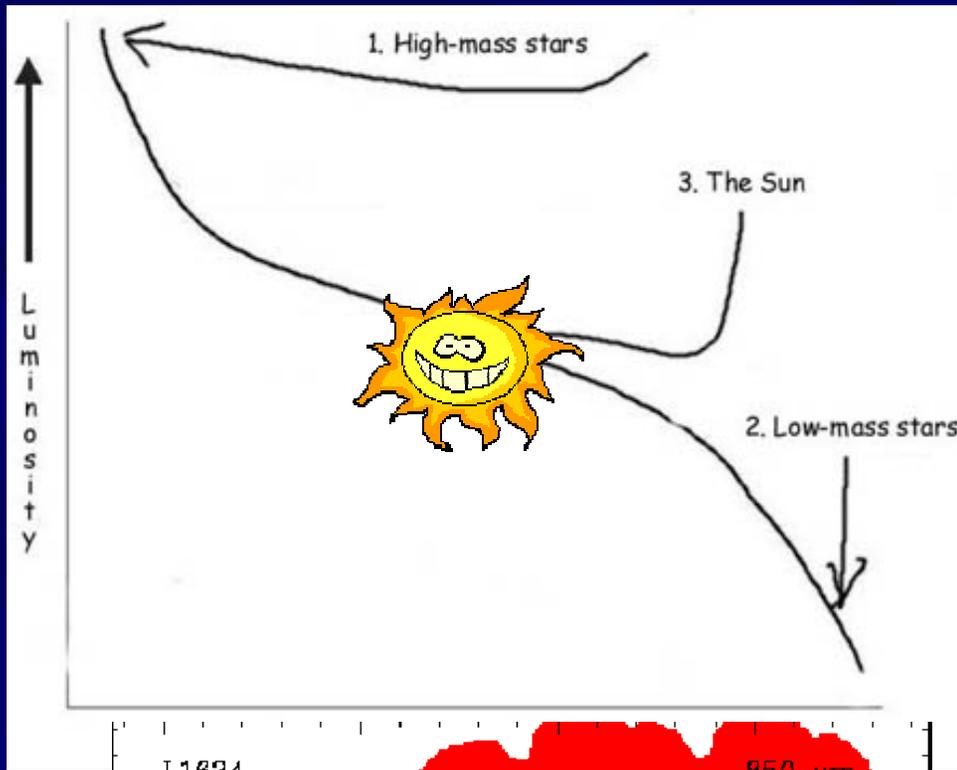
$$\zeta_{CR} \propto \sum abundances$$

$\sim 2 \times 10^{-17} \text{ s}^{-1}$

Standard, caused by CR since there is not known to be a potent X-ray in the vicinity



A version of today's Sun



Wuchterl & Tscharnurter 2003, A&A 398, 1081

$L_{\text{bol}} = 19 L_{\odot}$
 $T_{\text{bol}} = 42 \text{ K}$
 Age = 22 kyr
 $R_{\text{out}} = 6000 \text{ AU}$
 $M_{\text{env}} = 2.5 M_{\odot}$
 $M_{\text{final}} = 1.09 M_{\odot}$

Rengel 2004, PhD Thesis

Summary and Conclusions

- With the SCUBA camera, thermal dust emission of 36 embedded sources (nine Class 0 sources and 12 new sub-mm objects) in Orion and Perseus were detected.
- The fundamental physical structure of a Class 0 envelope is characterized by two radial distributions: $T(r) \propto r^{-q}$, and $\rho(r) \propto r^{-p}$. From Interpretation of observations, $q=0.42 \pm 0.04$ and $p=2.1 \pm 0.1$ (450 μm) and 2.3 ± 0.1 (850 μm). These values are expected for all theoretical models and numerical studies of collapse.
- I have modelled nine Class 0 envelopes using single power-law density and temperature distributions \rightarrow embedded systems can be modelled with the standard **envelope** model.

- I have shown that a 1D spherically symmetric model reproduces well the observed properties of Class 0 sources. → It fits the **SEDs** and the **radial profiles** for the sample.
- Deviations can be due to **non-spherical geometry** of sources and outflows, between others.
- From molecular studies of young protostars it is possible to constraint abundance of metals and fraction of ionization.

Acknowledgments

- Jochen Eislöffel, Klaus Hodapp, Sebastian Wolf, Javier Goicoechea
- SEST staff
- CS4 Organizing Committee